

Spectral analysis of galaxies

Apostila do Cid – 2012/2

Section 2 – Building composite stellar populations

1 - How does Spectral Synthesis work?

2 - Building composite stellar populations

2.1 - SFR(t) \propto exp

2.2 - SFR(t) constant

2.3 - SFR(t) burst-like

3 - Calculating ages

How does Spectral Synthesis work?

What is an ordinary galaxy made of?



Figure from Cid's talk @ IAG

Well-behaved galaxies...

Spectral continuum → light from stars + dust

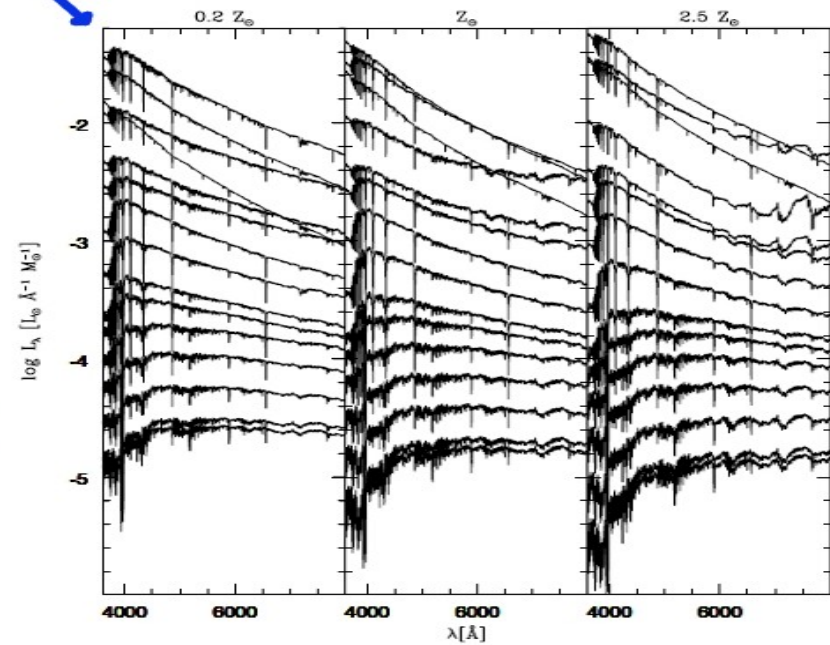
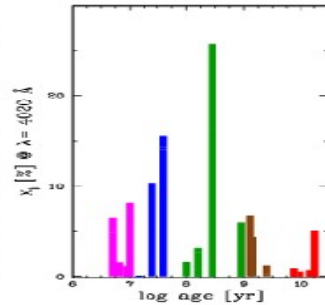
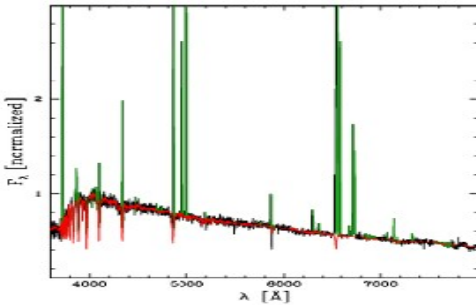
The emission/absorption lines → HII regions, AGNs, etc

How does Spectral Synthesis work?

Spectral Synthesis

STARLIGHT (Cid Fernandes et al 2005)

$$F_{\lambda} = F_{\lambda_0} \left[\sum_{j=1}^{N_{\star}} x_j b_{j,\lambda} r_{\lambda} \right]$$



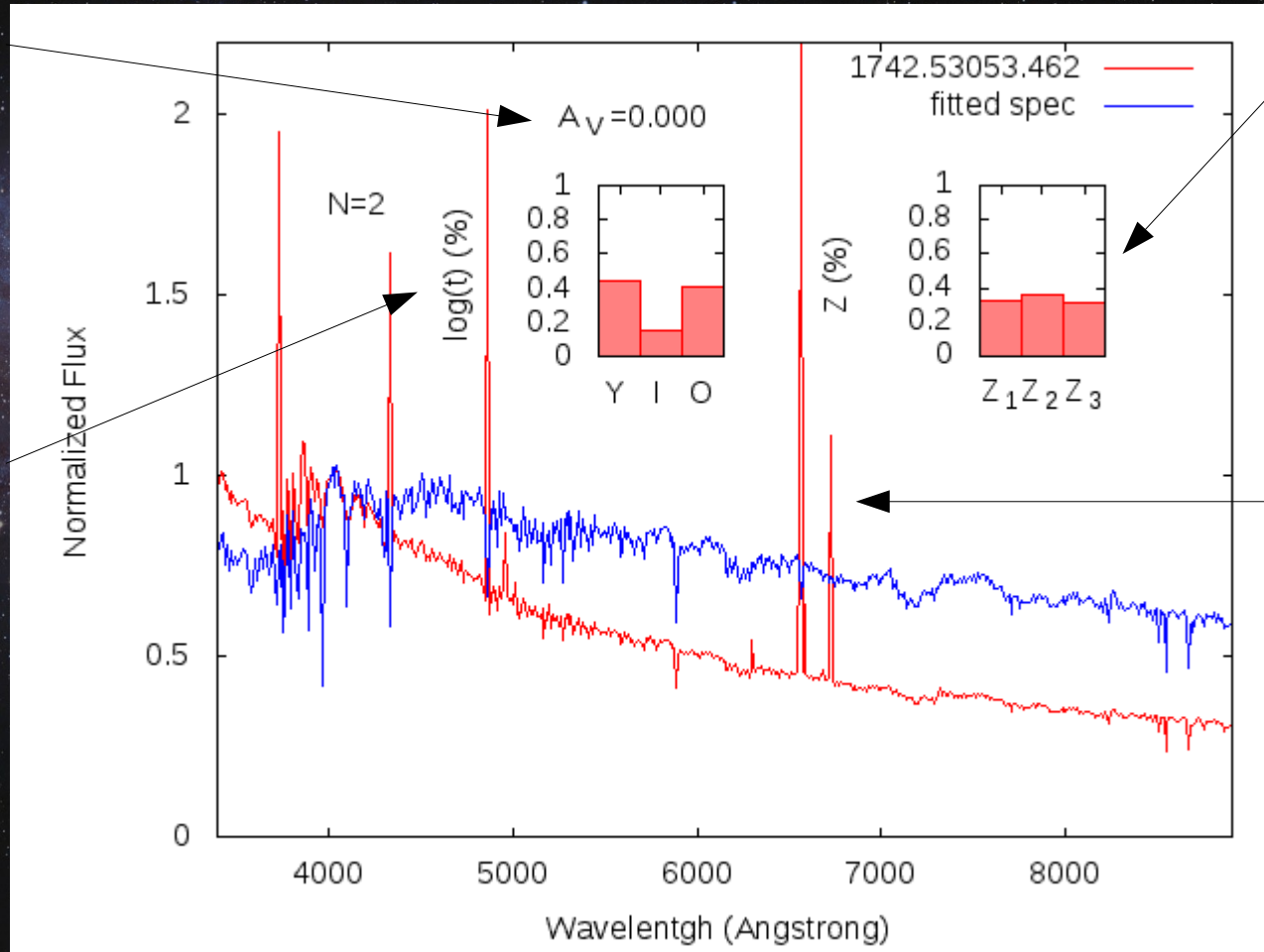
How does Spectral Synthesis work?

Spectral Synthesis

Dust

Metallicities

Ages of SSPs



Emission and absorption lines are not fitted!

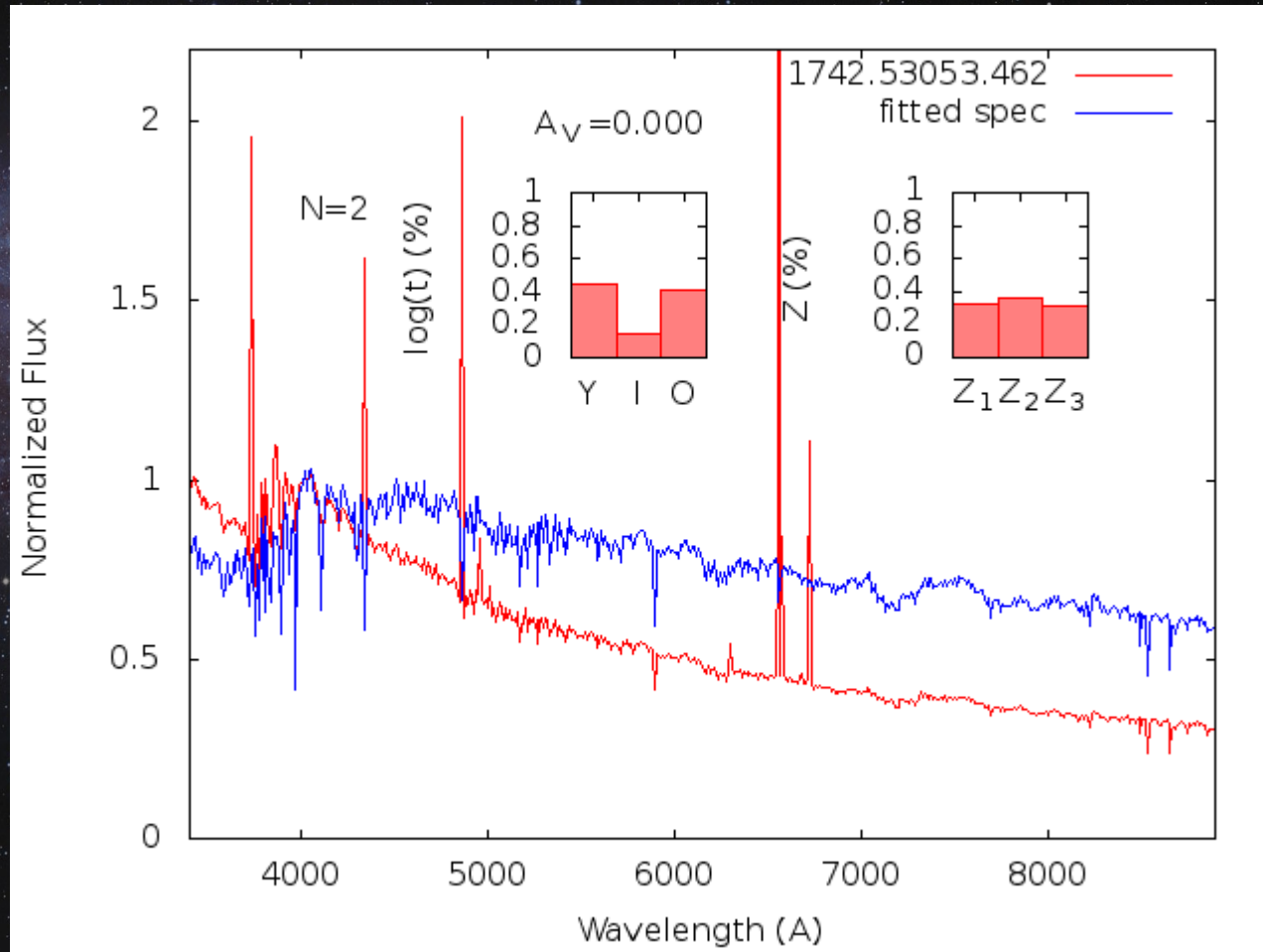
Fitting the continuum one can obtain stellar population properties and extinction from galaxies.

How does Spectral Synthesis work?

Spectral Synthesis

Dust

Metallicities



Ages of SSPs

Emission and absorption lines are not fitted!

Fitting the continuum one can obtain stellar population properties and extinction from galaxies.

Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Making composite spectra...

$$l_\lambda \rightarrow [L_\odot / \text{\AA} / M_\odot]$$

$$A = \frac{M_\star}{\tau(e^{t_0/\tau} - 1)}$$

$$L_\lambda = \sum_{t \leq T} l_\lambda(t) \Delta M_i$$

$$X(t) = \frac{M(t)}{M_\star} = \frac{(e^{-t/\tau} - 1)}{(e^{-t_0/\tau} - 1)}$$



$$M(t) = \int_0^t \psi(t') dt'$$

$$\Delta M_{1-2} = \int_{t_1}^{t_2} \psi(t) dt = \frac{M_\star(e^{-t_1/\tau} - e^{-t_2/\tau})}{(1 - e^{-t_0/\tau})}$$

Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

SFR units:

$$\psi(t, t_0, \tau) \rightarrow [M_{\odot}/yr]$$

Mass converted
to stars

$$M(t) = \int_0^t \psi(t') dt'$$

Normalization
factor

$$A = \frac{M_{\star}}{\tau(e^{t_0/\tau} - 1)}$$

Percentage of mass
converted to stars

$$X(t) = \frac{M(t)}{M_{\star}} = \frac{(e^{-t/\tau} - 1)}{(e^{-t_0/\tau} - 1)}$$



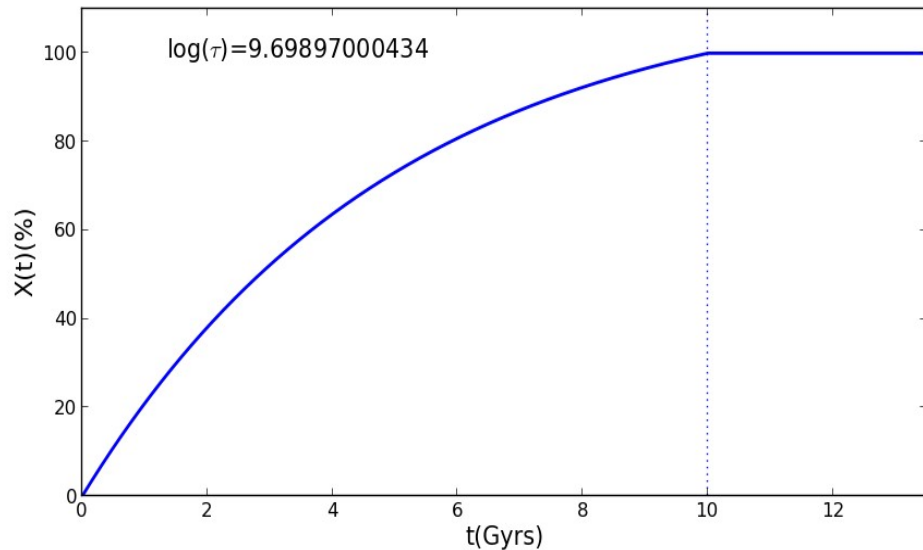
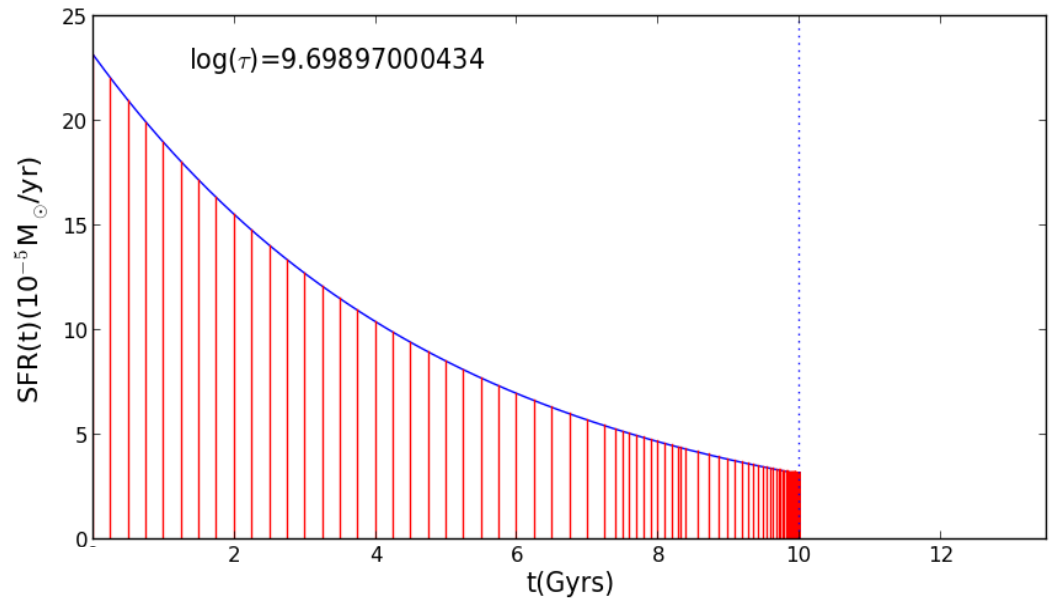
Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Decaying exponential ($t_0 \sim T$):

$t_0 = 1e10$ yrs
 $T = 5e9$ yrs
 $M = 1e6$ Msun



$$l_\lambda \rightarrow [L_\odot / \text{\AA} / M_\odot]$$

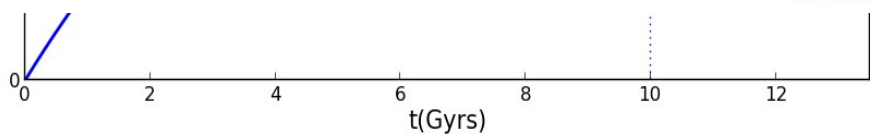
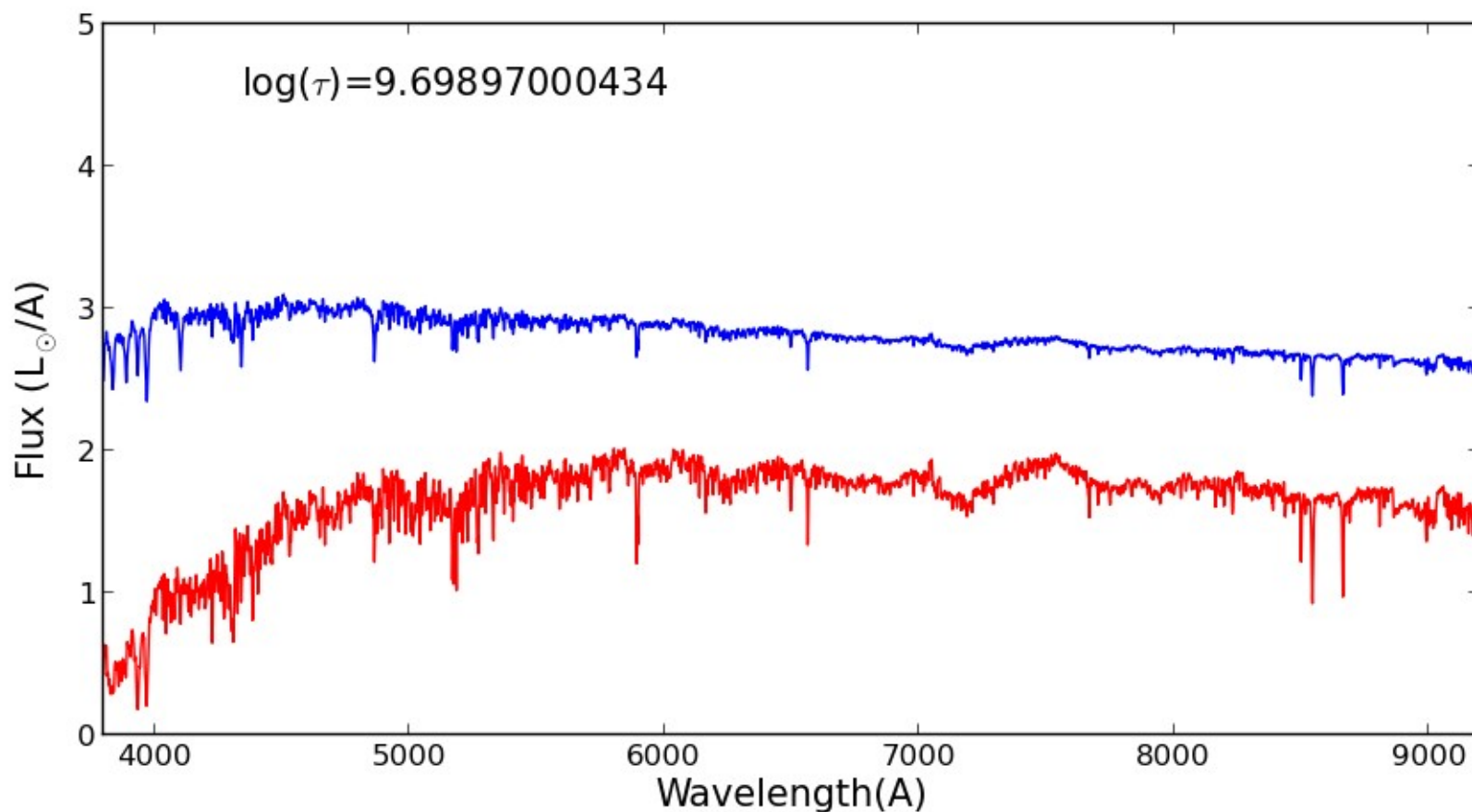
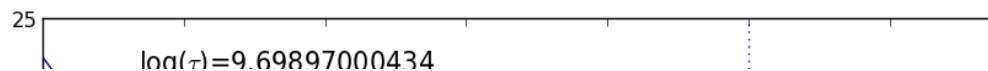
$$L_\lambda = \sum_{t \leq T} l_\lambda(t) \Delta M_i$$

Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Decaying exponential ($t_0 \sim T$) :



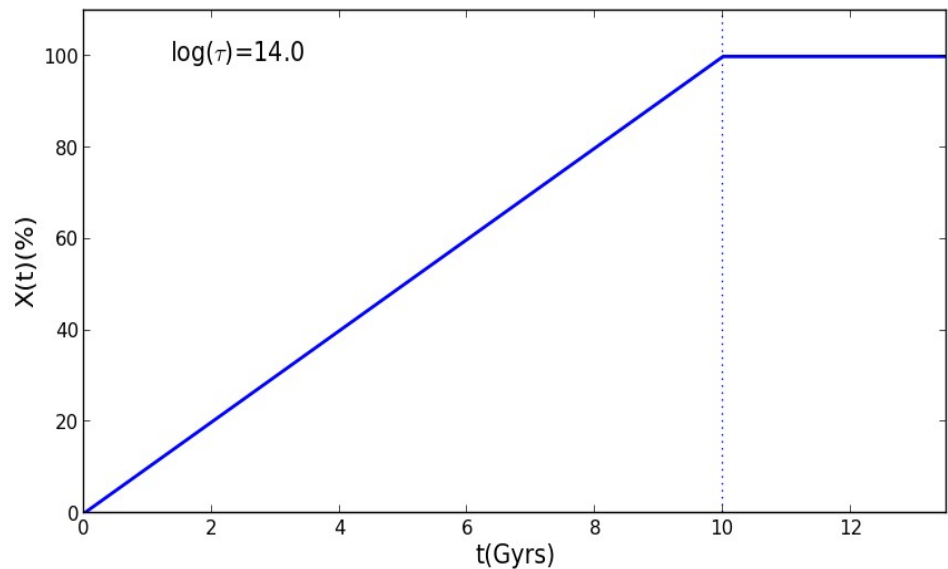
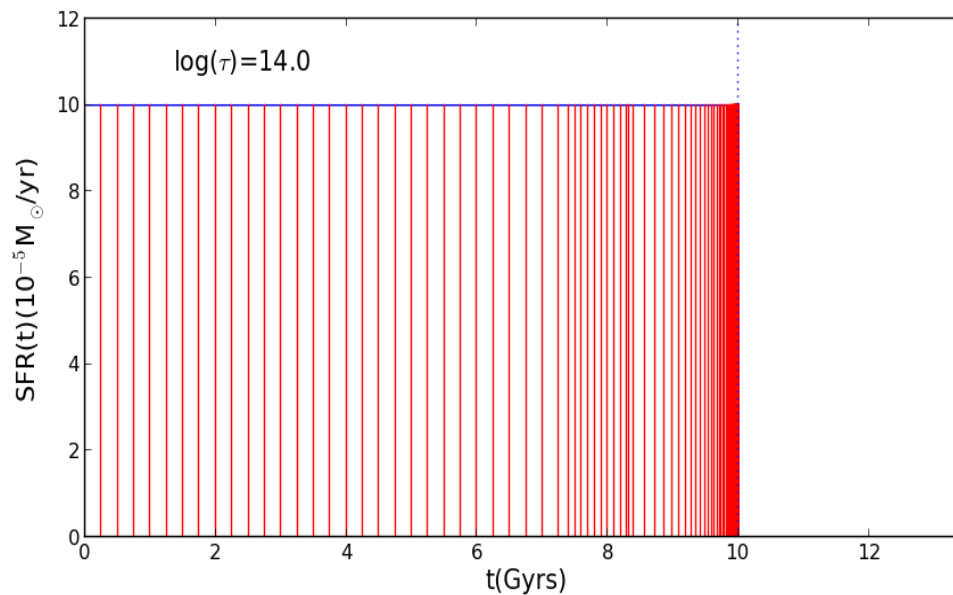
Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Constant ($t_0 \ll T$) :

$t_0 = 1e10$ yrs
 $T = 1e14$ yrs
 $M = 1e6$ Msun

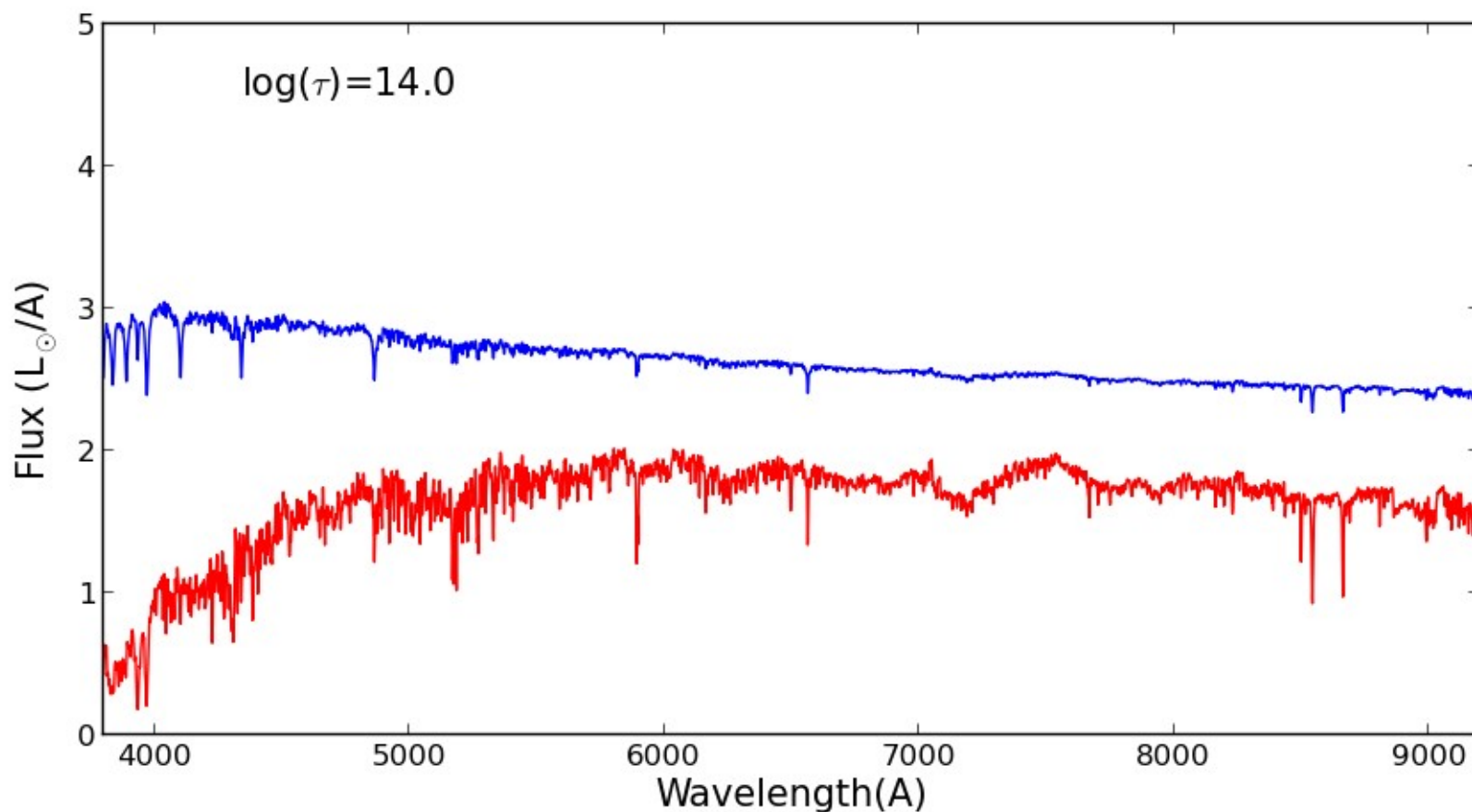
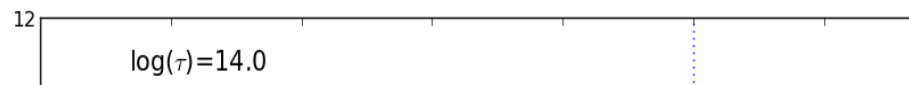


Building composite stellar populations

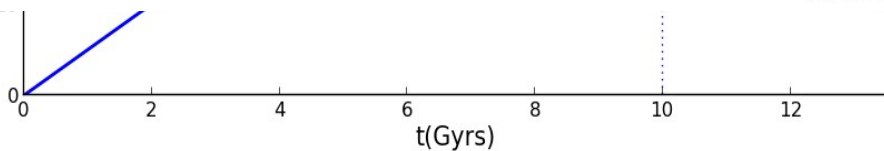
SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Constant ($t_0 \ll T$) :



Wavelength



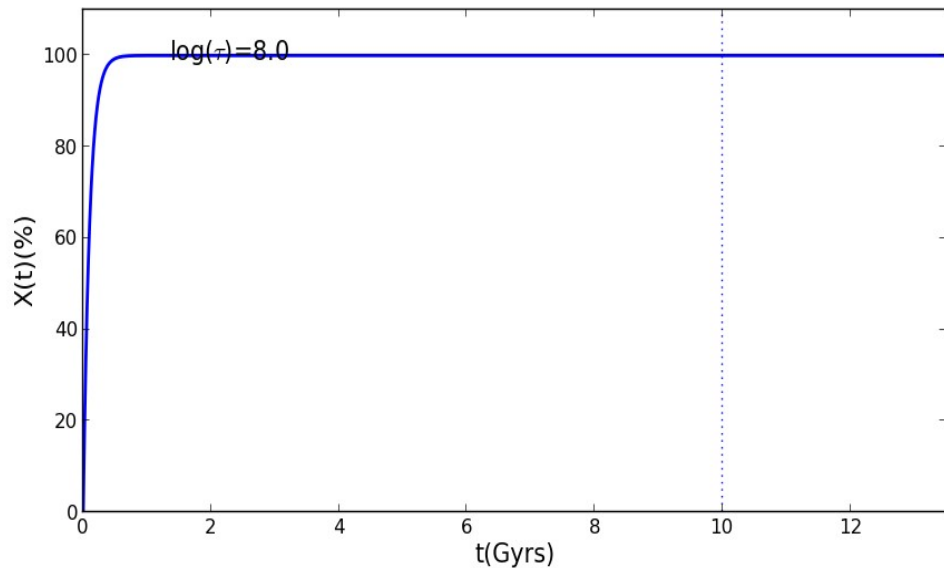
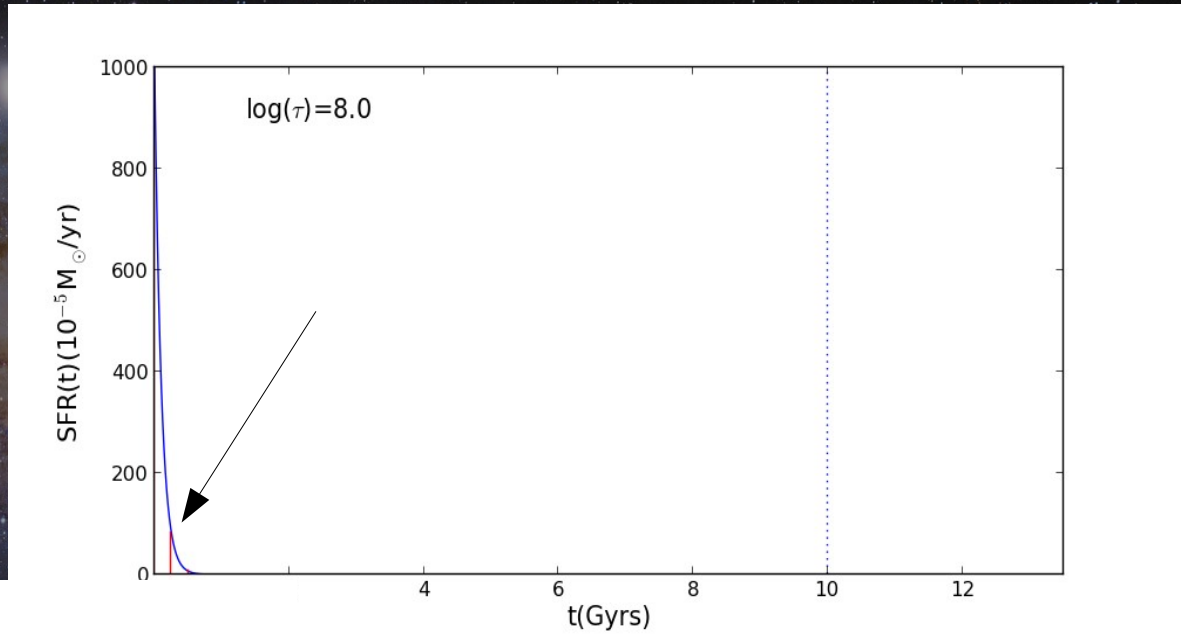
Building composite stellar populations

SFR(t) :

$$\psi(t, t_0, \tau) = \begin{cases} Ae^{-(t-t_0)/\tau} & t \leq t_0 \\ 0 & t > t_0 \end{cases}$$

Burst-like ($t_0 \gg T$) :

$t_0 = 1e10$ yrs
 $T = 1e8$ yrs
 $M_* = 1e6$ Msun



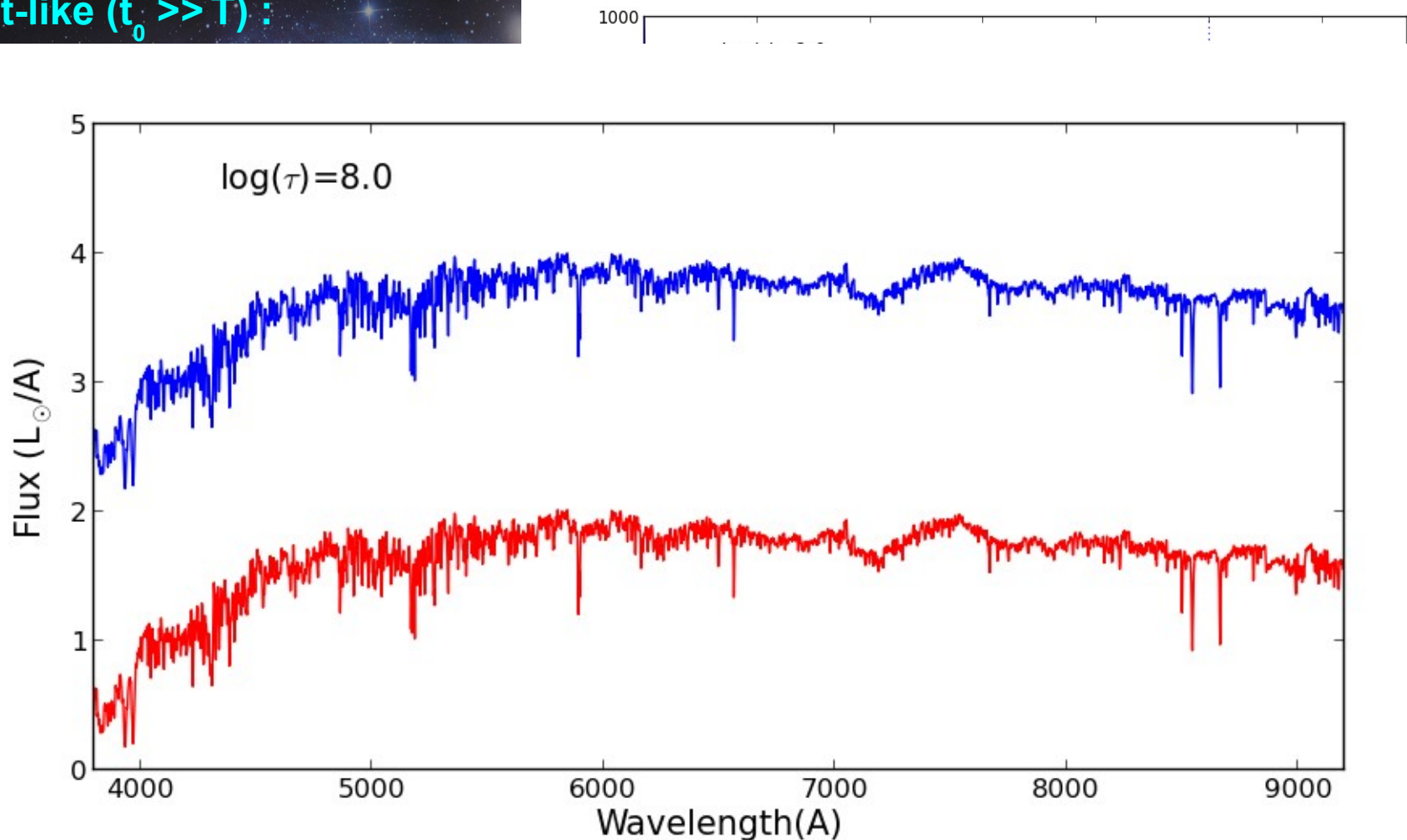
All stars are formed roughly at t=0!
The spectra looks like a SSP!

Building composite stellar populations

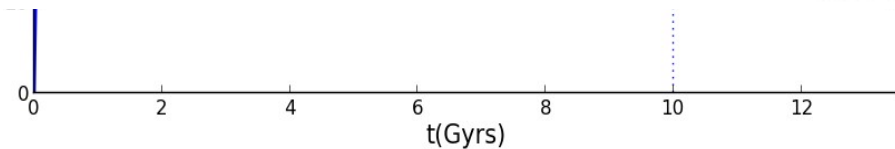
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Burst-like ($t_0 \gg T$) :



MILANO



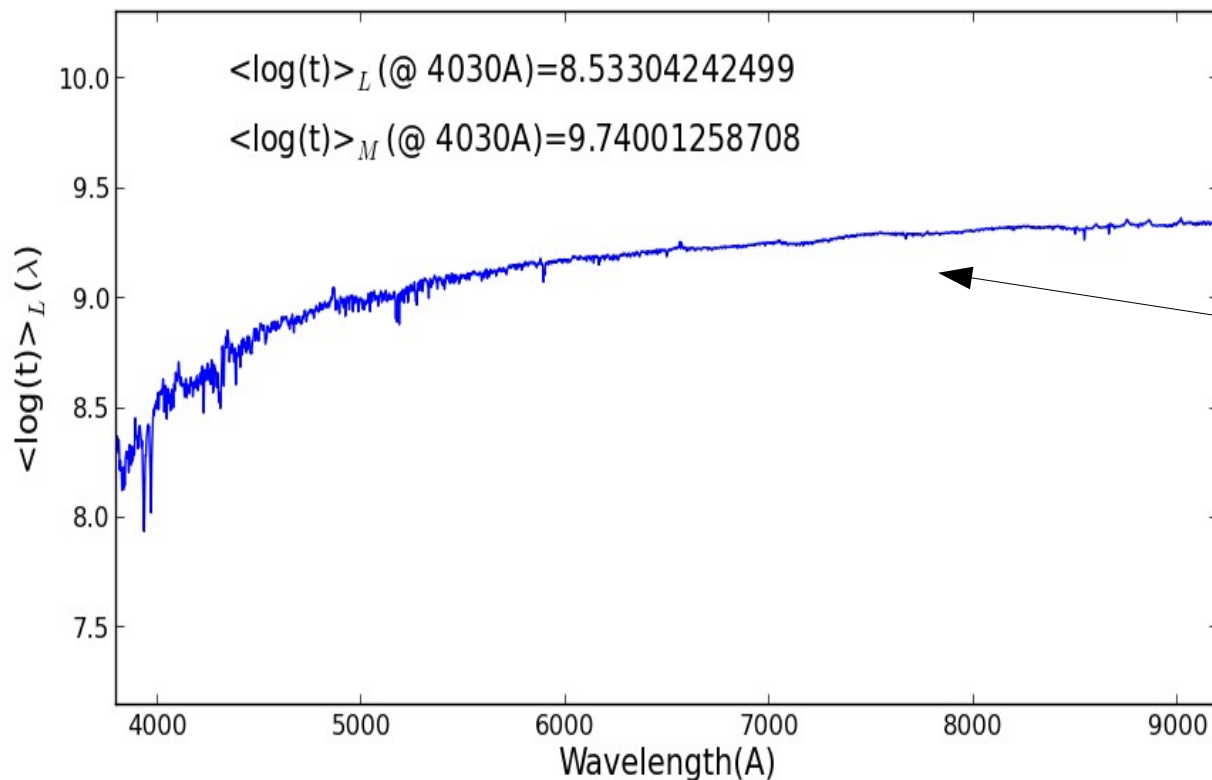
Calculate ages...

$$\langle \log(t) \rangle_M = \frac{\sum_i \log(t_i) \Delta M_i}{\sum_i \Delta M_i}$$

Age weighted by mass

$$\langle \log(t) \rangle_L (\lambda) = \frac{\sum_i \log(t_i) F_\lambda \Delta M_i}{\sum_i F_\lambda \Delta M_i} = \frac{\sum_i \log(t_i) \Delta L_i}{\sum_i \Delta L_i}$$

Age weighted by light



Decaying Exponential
SFR(t)

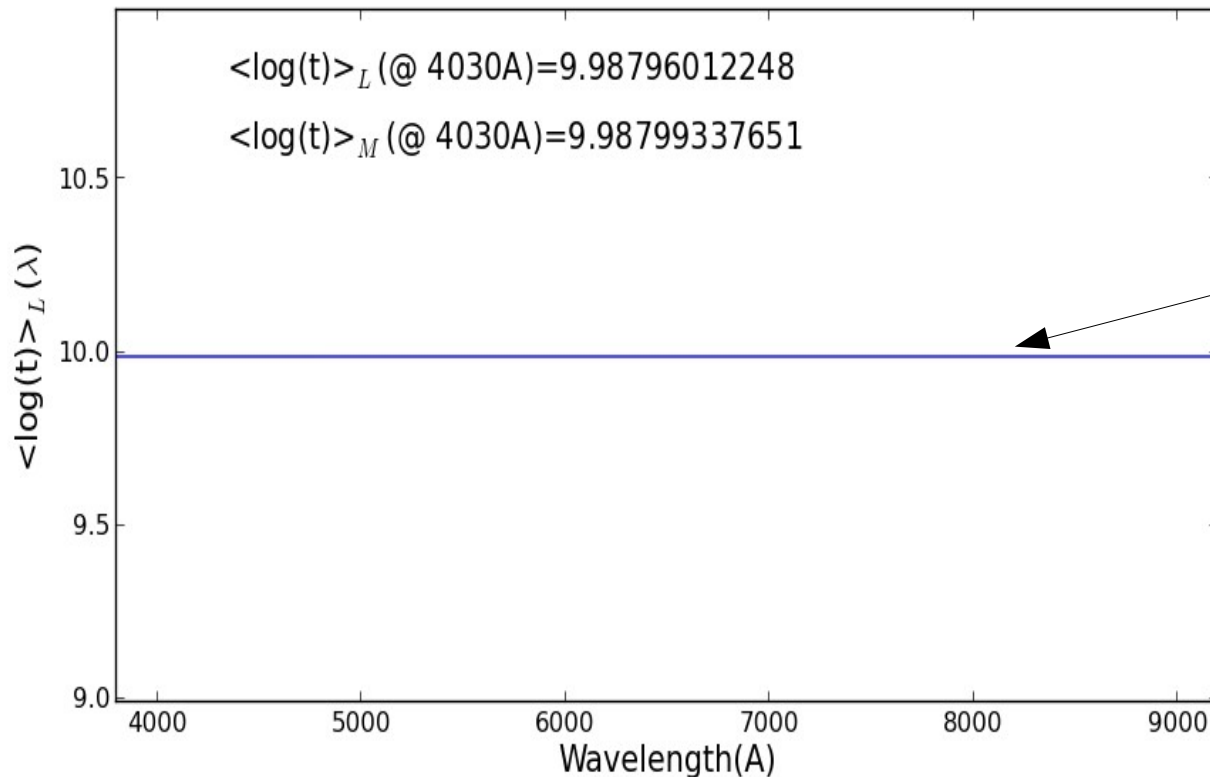
Calculate ages...

$$\langle \log(t) \rangle_M = \frac{\sum_i \log(t_i) \Delta M_i}{\sum_i \Delta M_i}$$

Age weighted by mass

$$\langle \log(t) \rangle_L(\lambda) = \frac{\sum_i \log(t_i) F_\lambda \Delta M_i}{\sum_i F_\lambda \Delta M_i} = \frac{\sum_i \log(t_i) \Delta L_i}{\sum_i \Delta L_i}$$

Age weighted by light



Burst-like SFR(t)
T=1e8 yr



FIM