



Deep Learning Applications in Astronomy

Clécio R. Bom

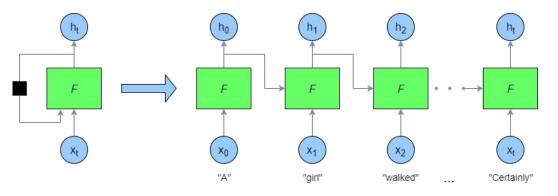


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Recurrent Neural Nets



But .. there is the gradient vanishing problem

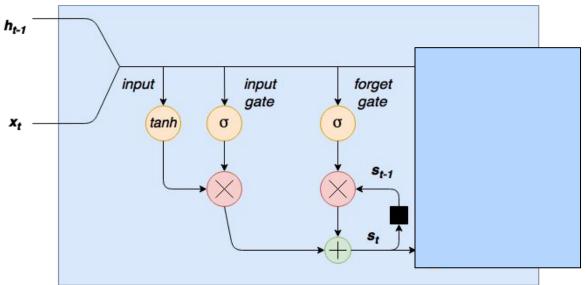
Long term correlations

Brazil is a great _____

"I have been staying in Brazil for the last 20 years. I can speak fluent _____."

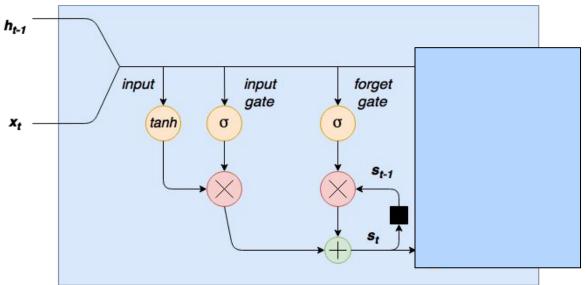
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LSTM Cell

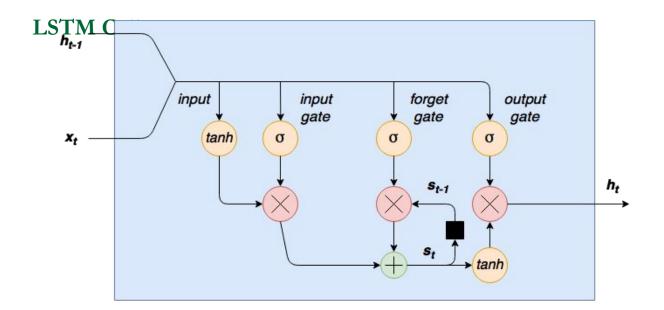


$$f = \sigma(w_f x_t + U_k h_{t-1}) \quad k = \sigma(w_k x_t + U_k h_{t-1})$$
$$i = \Phi(w_i x_t + U_i h_{t-1})$$

LSTM Cell



$$f = \sigma(w_f x_t + U_k h_{t-1}) \quad k = \sigma(w_k x_t + U_k h_{t-1})$$
$$s_t = s_{t-1}^\circ f + k^\circ i$$



$$f = \sigma(w_f x_t + U_k h_{t-1}) \quad k = \sigma(w_k x_t + U_k h_{t-1})$$
$$s_t = s_{t-1}^\circ f + k^\circ i$$

LSTM – A couple of considerations

- It helps to prevent vanishing gradient, however it did not solve it completely....
- Long sequences problems, Try hundreds not thousands
- More effective in forecasting than classification
- It made history with chatbots, translators, speech-to-text, etc...
- It might need lot of embedding
- Resource Expensive if compared to Resnets...

LSTM – Long sequences Strategy

• Truncate

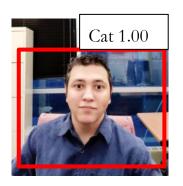
- Embed
- Subsample
- Auto Encoders

How sure is my NN?

In a Deep Learning classification problem that classifies dogs and cats would classify a human as a dog or a cat anyway. It would not be possible to know that the image is not a dog, neither a cat.

It would be interesting to have a framework in which one could derive a PDF on the predictions

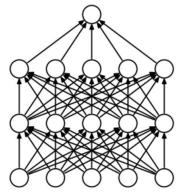




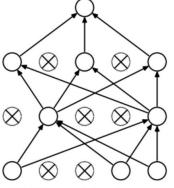
Bayesian Nets

One may think in the weights initialization as a definition of a prior p(w). That is if we randomly initializes it would be like a flat prior. If we add a regularization technique, that would define a different prior.

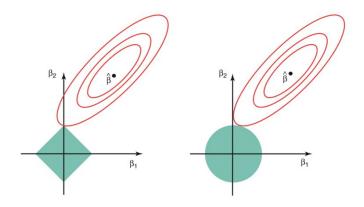
When using dropout in the forward-pass (or any other stochastic regularisation technique), a randomly drawn masked weight matrix corresponds to a function draw.



(a) Standard Neural Net



(b) After applying dropout.



How sure is my NN?

Three perspectives for uncertainty.

Epistemic uncertainty quantifies our ignorance about the models most suitable to explain our data. Aleatoric uncertainty captures noise inherent in the environment. The Predictive uncertainty conveys the model's uncertainty in its output.

The dropout probability, together with the weight configuration of the network, determine the magnitude of the epistemic uncertainty.

For a fixed dropout probability p, high magnitude weights will result in higher output variance, i.e. higher epistemic uncertainty. With a fixed p, a model wanting to decrease its epistemic uncertainty will have to reduce its weight magnitude (and set the weights to be exactly zero to have zero epistemic uncertainty).





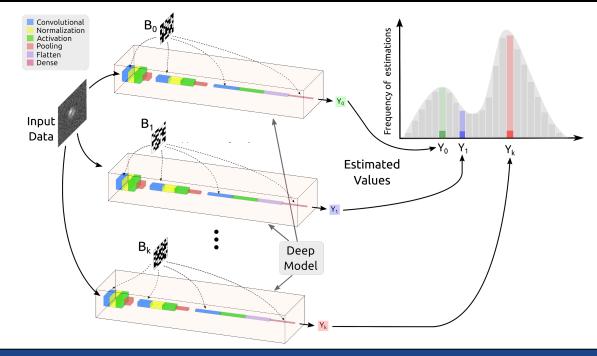


arXiv:1711.00165

Lee, Jaehoon, et al. "Deep neural networks as gaussian processes." arXiv preprint arXiv:1711.00165 (2017)

Error estimative

One way out is to perform a grid-search in dropout probabilities to minimize the epistemic uncertainty. However this is computationally very expensive.



Or the dropout probability can be optimised using a gradient method ...

Bayesian Nets - Variational

According to the variational interpretation, dropout is seen as an approximating distribution $p(\omega | X, Y)$ to the posterior in a Bayesian neural network with a set of random weight matrices $\omega = \{Wl\} L l=1$ with L layers and θ the set of variational parameters.

Consider the weights ω and a training dataset X = {x1,...,xN} and the corresponding outputs Y = {y1,...,yN}, the posterior of the network weights, p(ω | X,Y), captures the plausible network parameters. With this posterior, we can calculate the probability distribution of the values of an output y for a new test input point x by marginalizing over all possible weights ω

$$p(\mathbf{y}|\mathbf{x},\mathbf{X},\mathbf{Y}) = \int p(\mathbf{y}|\mathbf{x},\omega) p(\omega|\mathbf{X},\mathbf{Y}) d\omega$$

With $p(\omega | X, Y)$, we can calculate the probability distribution of the values of an output y for a new test input point x by marginalizing over all possible weights ω .

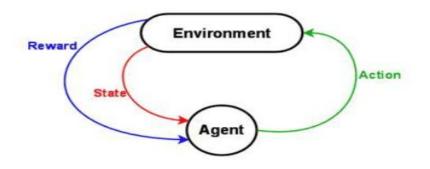
Bayesian Nets - Variational

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$$p(\mathbf{y}|\mathbf{x}) \approx \int p(\mathbf{y}|\mathbf{x},\omega) q(\omega) \, d\omega$$

We consider an approximating variational distribution, $q(\omega)$, with an analytic form. The parameters of $q(\omega)$ are then optimized to transform $q(\omega)$ to be as close as possible to the true posterior. This is performed by adding minimizing their Kullback-Leibler (KL) divergence between.

Nor supervised, not unsupervised.. learning by experience.



 $s_0, a_0, r_1, s_1, a_1, r_2, s_2, \dots, s_{n-1}, a_{n-1}, r_n, s_n$

A Markov decision process relies on the Markov assumption, that the probability of the next state si+1 depends only on current state si and action ai, but not on preceding states or actions.

Playing Atari with Deep Reinforcement Learning



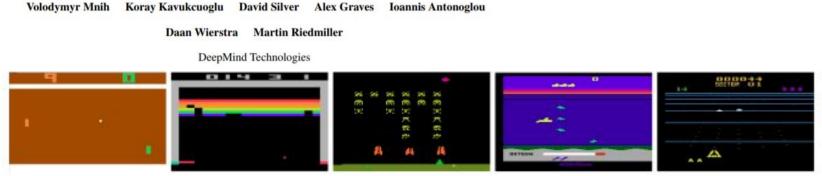


Figure 1: Screen shots from five Atari 2600 Games: (Left-to-right) Pong, Breakout, Space Invaders, Seaquest, Beam Rider

Play video Games!



Total Reward

 $R = r_1 + r_2 + r_3 + \ldots + r_n$

Future Reward

 $R_t = r_t + r_{t+1} + r_{t+2} + \ldots + r_n$

Discounted Future Reward

$$R_t = r_t + \gamma r_{t+1} + \gamma^2 r_{t+2} \dots + \gamma^{n-t} r_n$$

$$R_t = r_t + \gamma(r_{t+1} + \gamma(r_{t+2} + \dots)) = r_t + \gamma R_{t+1}$$

If we set the discount factor $\gamma=0$, then our strategy will be short-sighted and we rely only on the immediate rewards. If we want to balance between immediate and future rewards, we should set discount factor to something like $\gamma=0.9$. If our environment is deterministic and the same actions always result in same rewards, then we can set discount factor $\gamma=1$.

A good strategy for an agent would be to always choose an action that maximizes the (discounted) future reward.

Discounted Future Reward

$$R_t = r_t + \gamma r_{t+1} + \gamma^2 r_{t+2} \dots + \gamma^{n-t} r_n$$

$$R_t = r_t + \gamma(r_{t+1} + \gamma(r_{t+2} + \dots)) = r_t + \gamma R_{t+1}$$



The maximum discounted future reward when we perform action a in state s, and continue optimally from that point on

The best possible score at the end of the game after performing action a in state s

 $Q(s_t, a_t) = max R_{t+1}$

Bellman equation

$$Q(s,a) = r + \gamma max_{a'}Q(s',a')$$

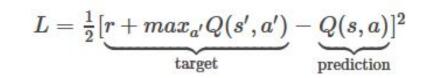
maximum future reward for this state and action is the immediate reward plus maximum future reward for the next state

Q Learning

$$L = rac{1}{2} [\underbrace{r + max_{a'}Q(s',a')}_{ ext{target}} - \underbrace{Q(s,a)}_{ ext{prediction}}]^2$$

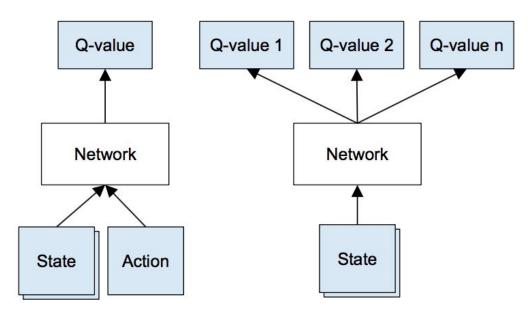
```
initialize Q[num_states,num_actions] arbitrarily
observe initial state s
repeat
    select and carry out an action a
    observe reward r and new state s'
    Q[s,a] = Q[s,a] + α(r + γ max<sub>a</sub>, Q[s',a'] - Q[s,a])
    s = s'
until terminated
```

Q Learning

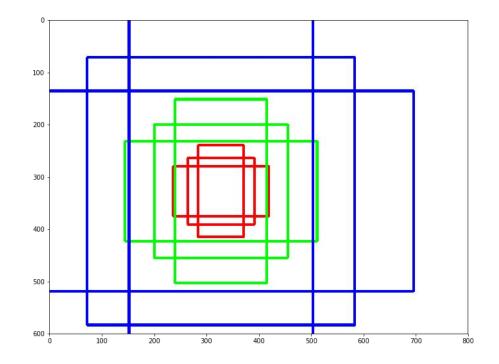


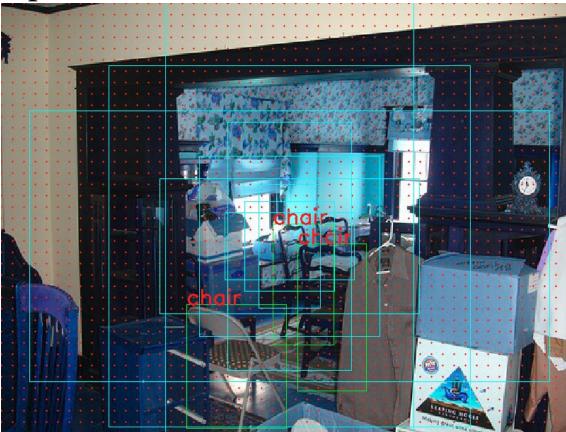
```
def q learning with table(env, num episodes=500):
   q table = np.zeros((5, 2))
    v = 0.95
    1r = 0.8
    for i in range(num episodes):
        s = env.reset()
        done = False
        while not done:
            if np.sum(q table[s,:]) == 0:
                # make a random selection of actions
                a = np.random.randint(0, 2)
            else:
                # select the action with largest q value in state s
                a = np.argmax(q table[s, :])
            new s, r, done, = env.step(a)
            q_table[s, a] += r + lr*(y*np.max(q_table[new_s, :]) - q table[s, a])
            s = new s
    return q table
```

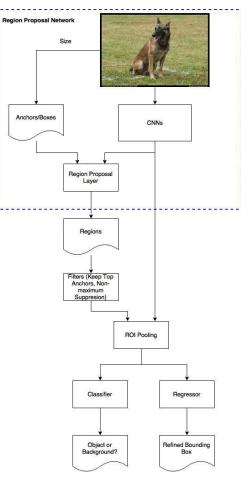
Play video Games!

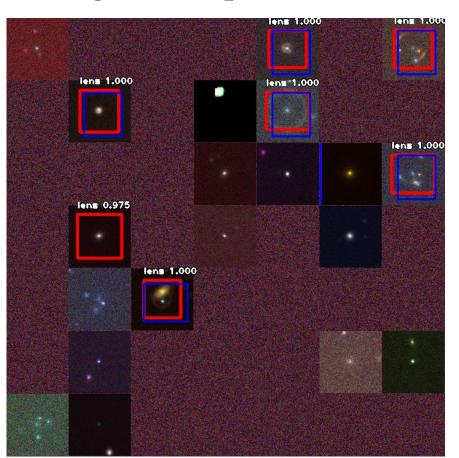


We could also take only game states input and output the Q-value for each possible action.

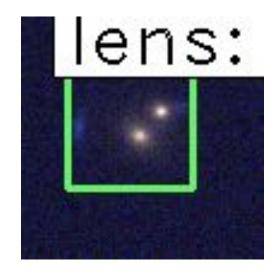








RetinaNet Architecture (2017) adapted.



What people are doing with this?

UNCERTAINTIES IN PARAMETERS ESTIMATED WITH NEURAL NETWORKS: APPLICATION TO STRONG GRAVITATIONAL LENSING

LAURENCE PERREAULT LEVASSEUR, YASHAR D. HEZAVEH^{*}, AND RISA H. WECHSLER Kavli Institute for Particle Astrophysics and Cosmology, Stanford University, Stanford, CA, USA SLAC National Accelerator Laboratory, Menlo Park, CA, 94305, USA Draft version August 30, 2017

DEEP RECURRENT NEURAL NETWORKS FOR SUPERNOVAE CLASSIFICATION

Tom Charnock¹ and Adam Moss¹

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Radio Galaxy Zoo: ClaRAN — a deep learning classifier for radio morphologies

Chen Wu^{1*}, O. Ivy Wong¹[†], Lawrence Rudnick², Stanislav S. Shabala³ Matthew J. Alger^{4,5}, Julie K. Banfield^{4,6}, Cheng Soon Ong⁵, Sarah V. White⁷, Avery F. Garon², Ray P. Norris^{8,9}, Heinz Andernach¹⁰, Jean Tate¹¹ Vesna Lukic¹², Hongming Tang¹³, Kevin Schawinski¹⁴, Foivos I. Diakogiannis^{15,1}



arXiv:1708.08843





Radio Galaxy Zoo: ClaRAN — a deep learning classifier for radio morphologies

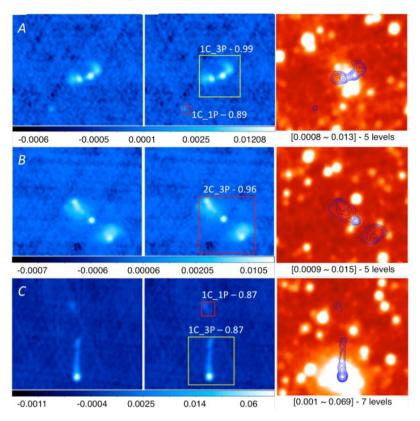


Figure 1. Three classification examples (A, B, and C)on RGZ subjects — each of them 3' × 3' in size — FIRST J081700.6+571626, FIRST J070822.2+414905, and FIRST J083915.7+285125. The first column shows the FIRST radio emission. The second column shows the CLARAN output — a box encompassing each identified source, and its morphology is labelled as $i\mathbf{C}_{-j}\mathbf{P}$, where *i* and *j* denotes the number of radio components and the number of radio peaks respectively. Each morphology label is associated with a score between 0 and 1, indicating the probability of the quoted morphology class. The first two columns share the same color bar at the bottom, denoting flux density values in Jy/beam. The last column shows the corresponding WISE infrared image overlaid with 5σ radio contours. The contour levels (Jy/beam) are shown at the bottom of each infrared image.

Radio Galaxy Zoo: ClaRAN — a deep learning classifier for radio morphologies

First, for each selected subject f, we ensure all radio sources within f have a user-weighted Consensus Level (CL) no less than 0.6. CL measures the relative agreement levels of classification among citizen scientists and is defined in Banfield et al. (2015) as the largest fraction of the total classifications for a radio source that have been agreed upon. This is to ensure most radio sources exposed to CLARAN are morphologically human-resolvable.

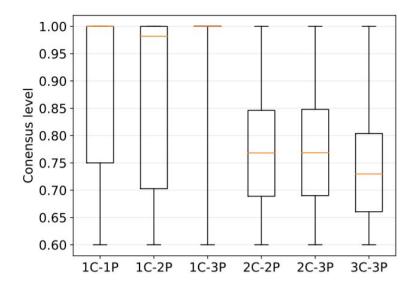
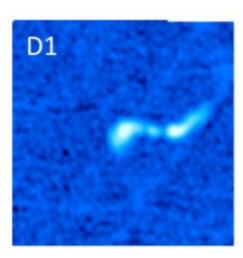
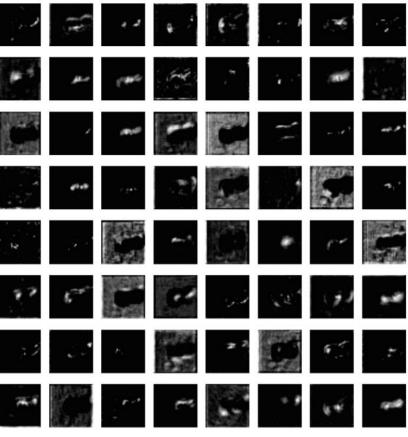


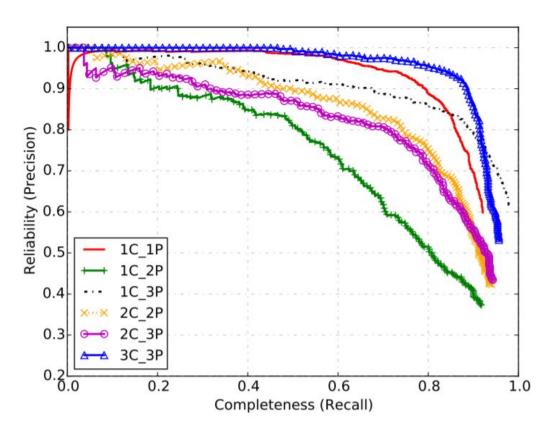
Figure 2. The distribution of the consensus level (CL) across six morphology classes in the data set that consists of 10,744 RGZ subjects selected from DR1. The whiskers above and below the

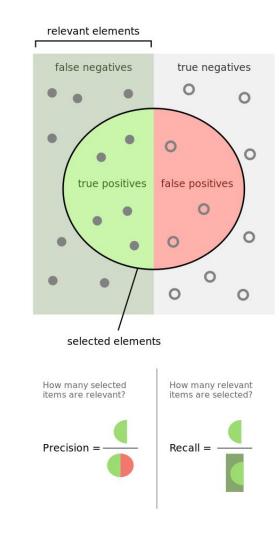
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DEEP RECURRENT NEURAL NETWORKS FOR SUPERNOVAE CLASSIFICATION

Tom Charnock¹ and Adam Moss¹

Time	g	r	i	z
t_1	g_1	r_1	i_1	z_1
t_2	g_2	r_2	-	z_2
t_3	g_3	r_3	i_3	z_3

Table 1. Data augmentation of missing observations. The missing data is replaced randomly by a value between i_1 and i_3 .

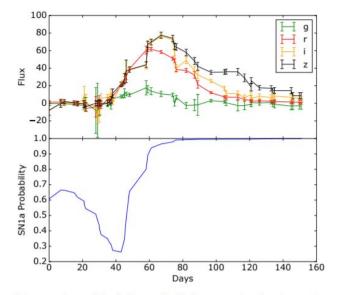


Figure 3. (Top) Example light curve in the 4 g, r, i, z bands for SN ID 551675 (a type-Ia) in the Supernovae Photometric Classification Challenge data Kessler et al. (2010a).

UNCERTAINTIES IN PARAMETERS ESTIMATED WITH NEURAL NETWORKS: APPLICATION TO STRONG GRAVITATIONAL LENSING

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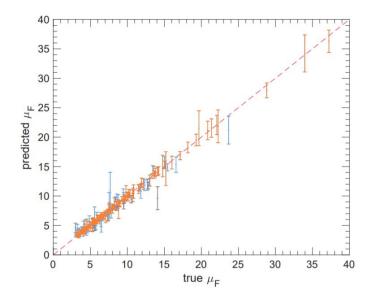
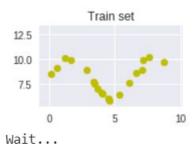


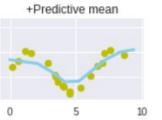
Figure 1. Predicted 68.3% uncertainties for lensing flux magnification, μ_F , as a function of the true value of this parameter. The orange, blue, and black errorbars correspond to examples where the true values fall within the 68.3, 95.5, and 99.7% confidence intervals respectively.

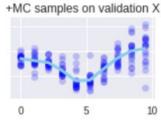
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Example 04 - Concrete Dropouts

This is a regression problem in which we try to predict the sin(x) function. However we use the concrete dropout method to derive a sample of predicts measurements.



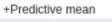










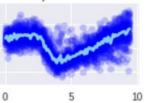


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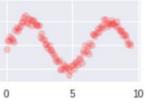
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Thank you! Hope you have a deeper understanding than a few days ago.

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