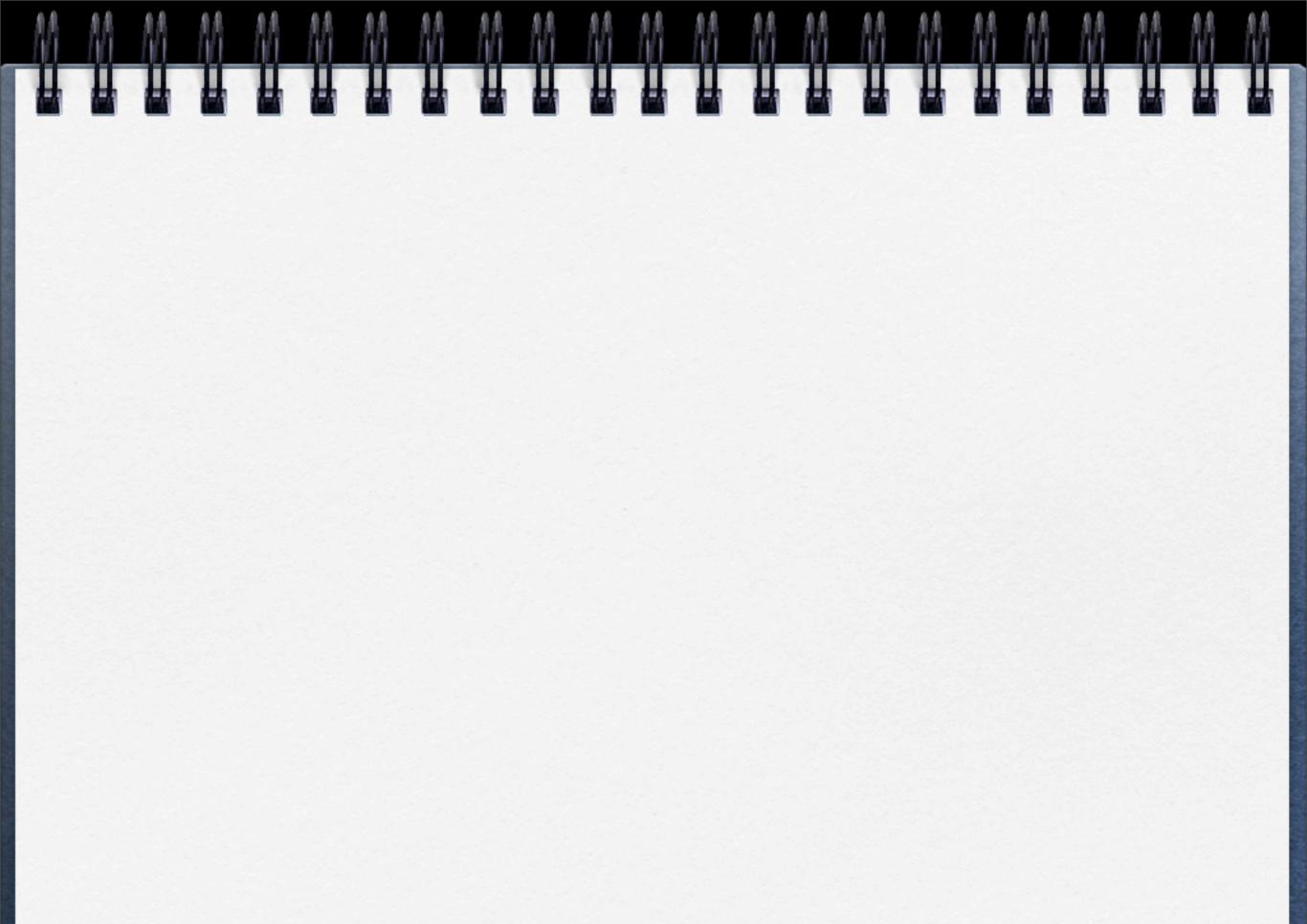
Quantum Information and Relativity

Sudden Death, Teleportation and the Unruh Effect

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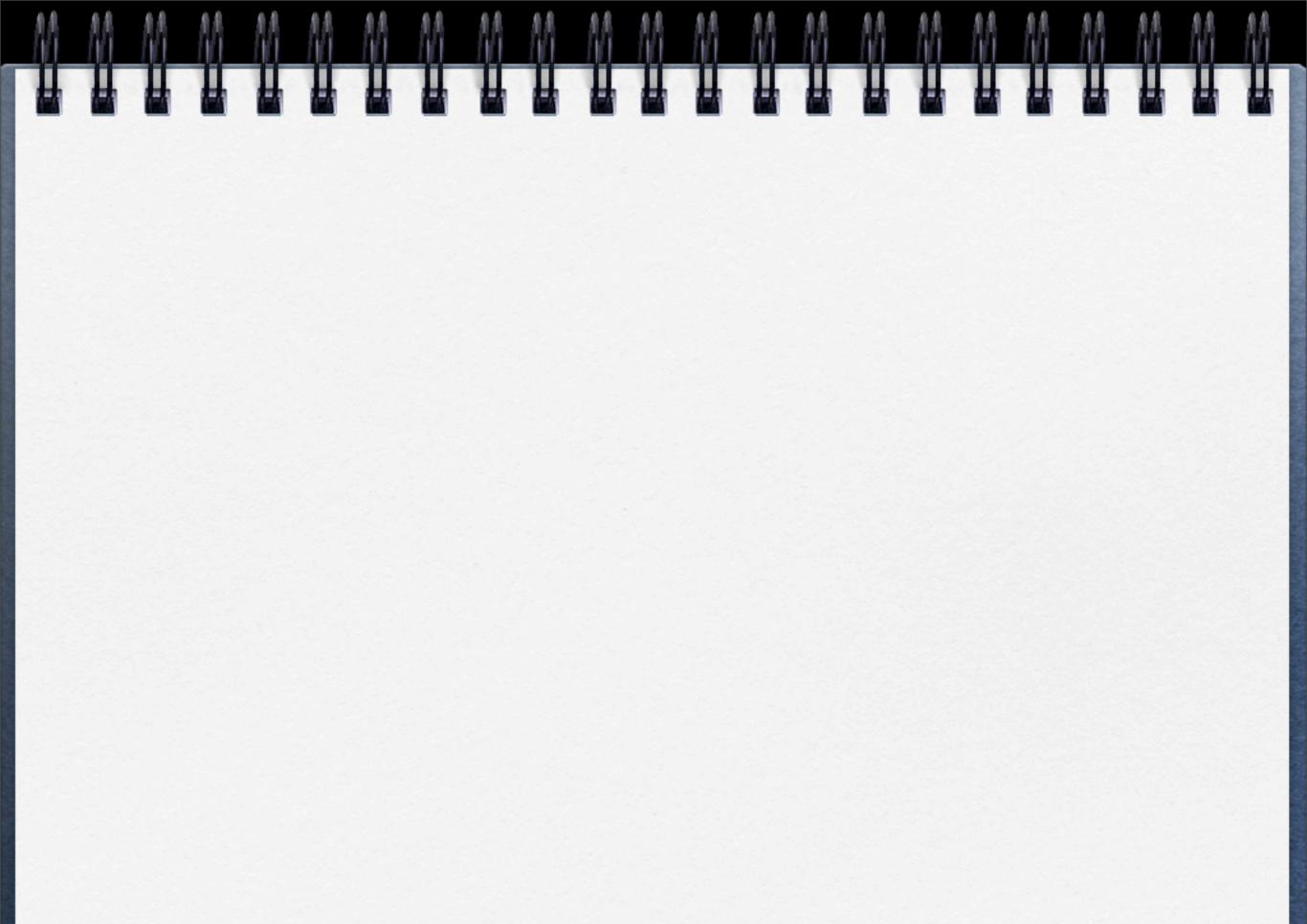
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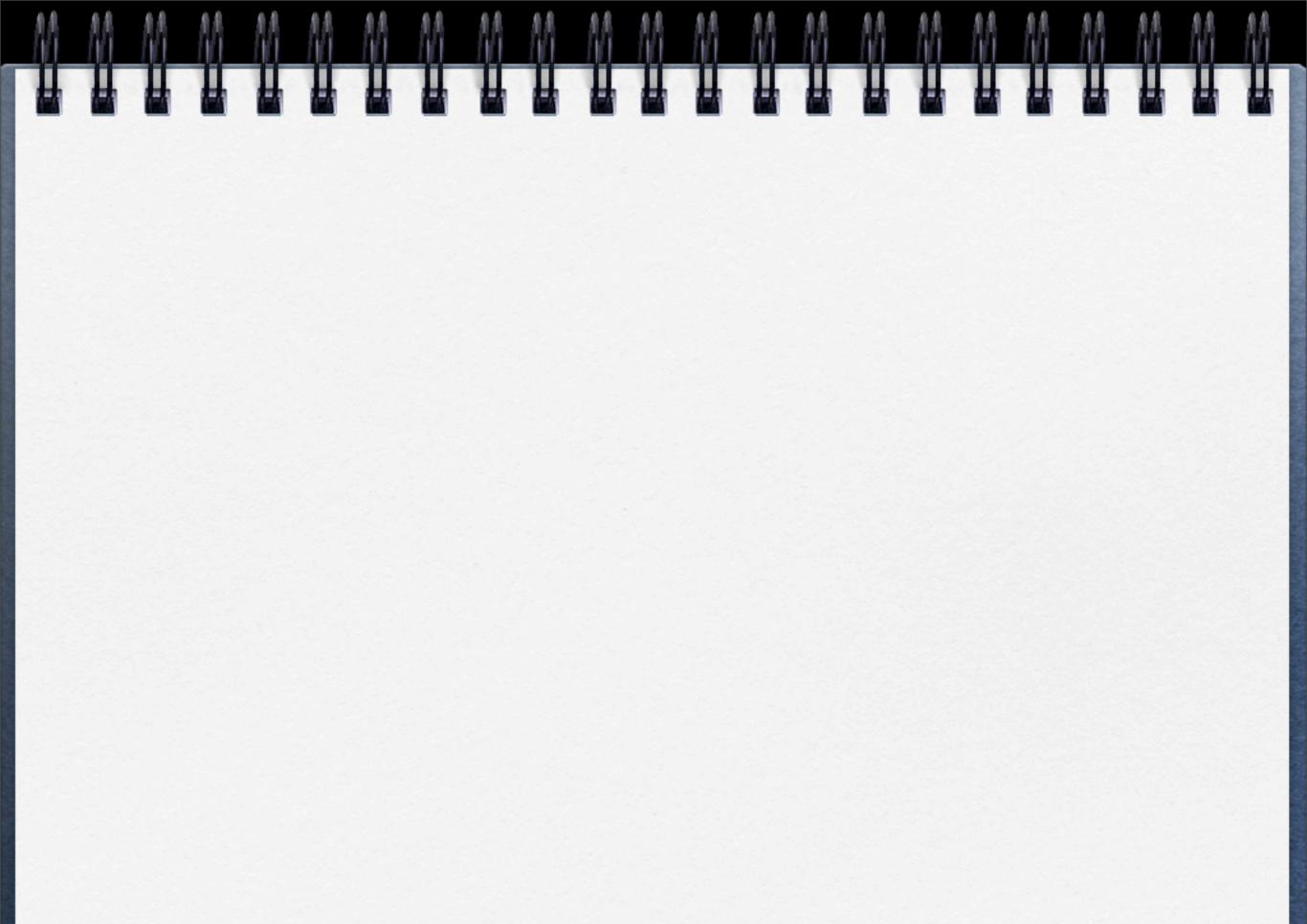
- A subject of intense research, with applications from cryptography to black hole information paradox
- It may shed some light in the Black hole information Paradox and other issues in curved spacetimes
- But there is very interesting physics already in Minkowski spacetime



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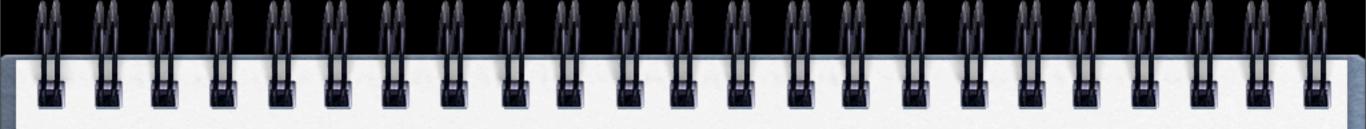
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 - EPR correlations decreases for moving detector and Bell inequality may not be violated [Landulfo & Matsas PRA 79, 044103 (2009)]



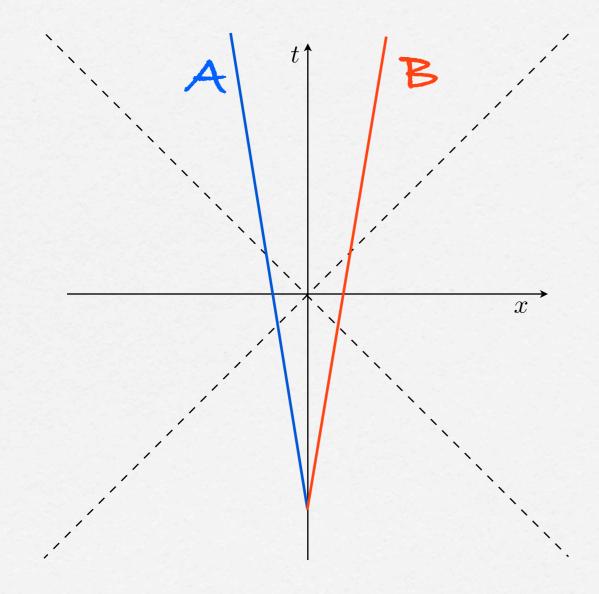
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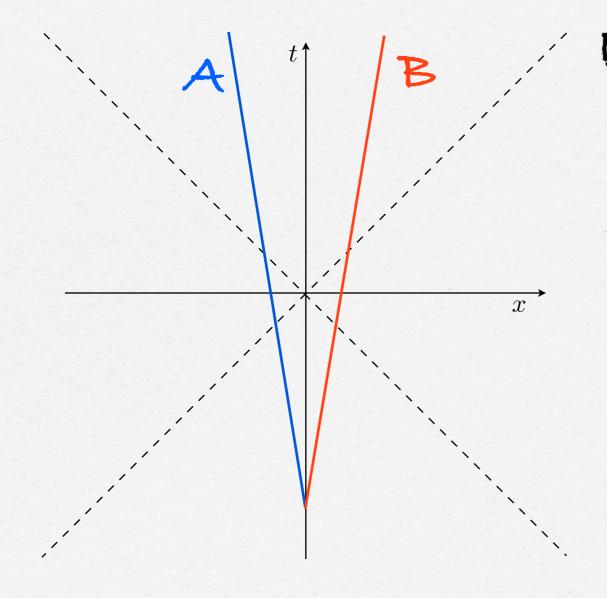
More careful analysis on the influence of the Unruh effect in entanglement and Teleportation



Inertial Qubits-Singlet State

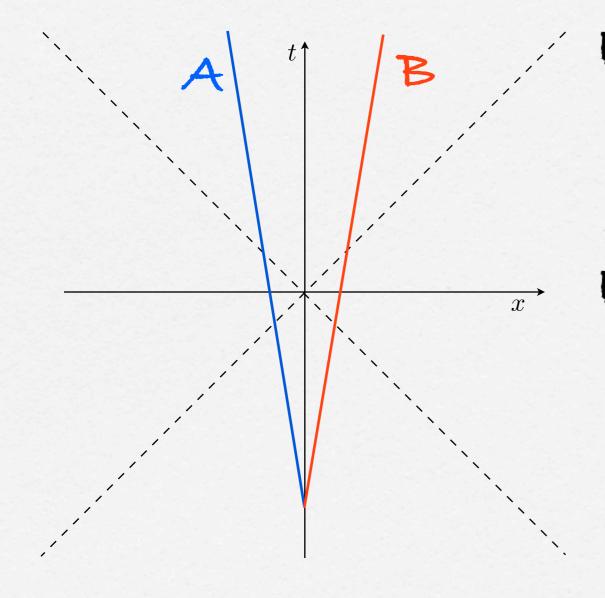


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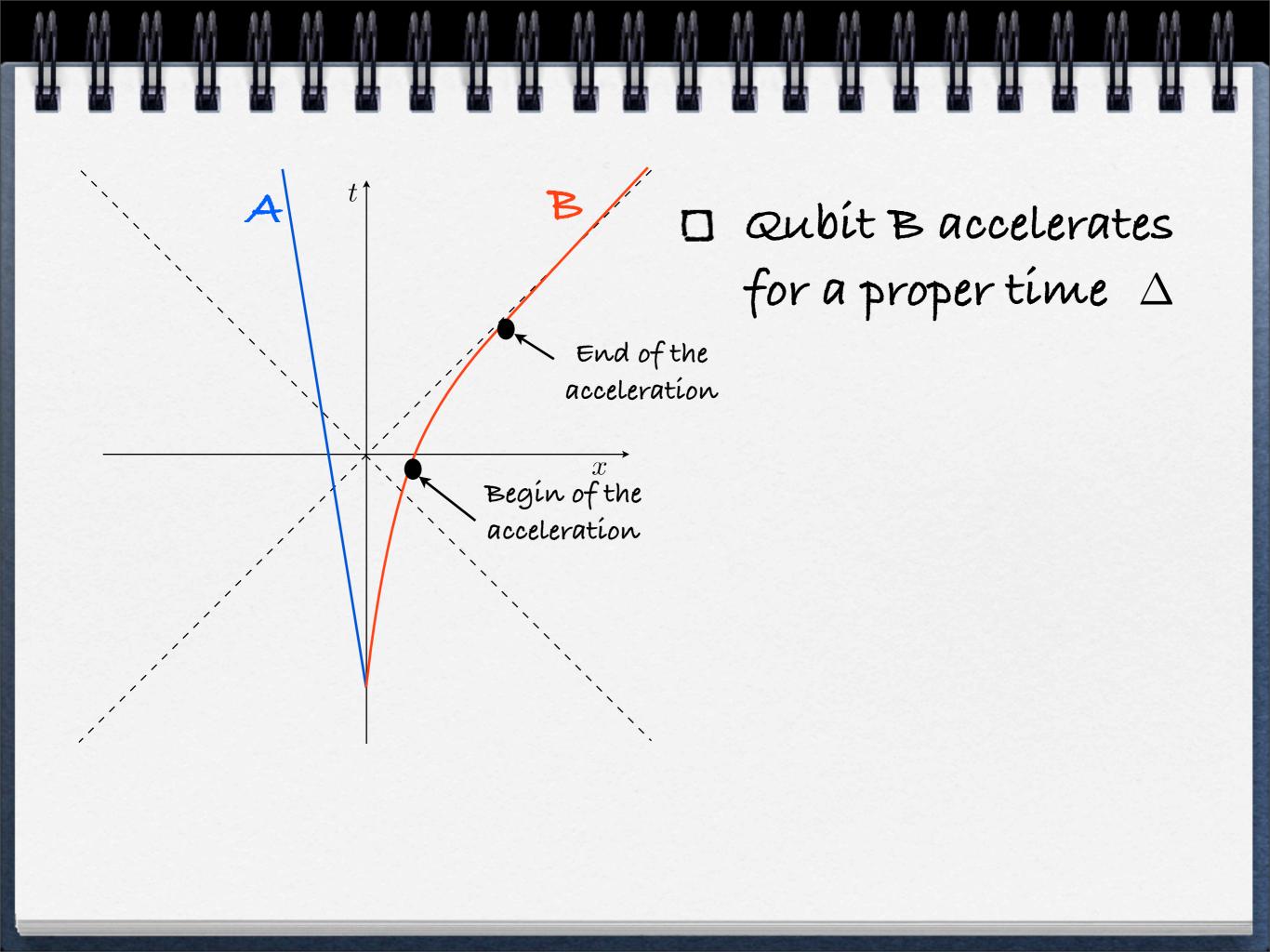
example: Pair of free
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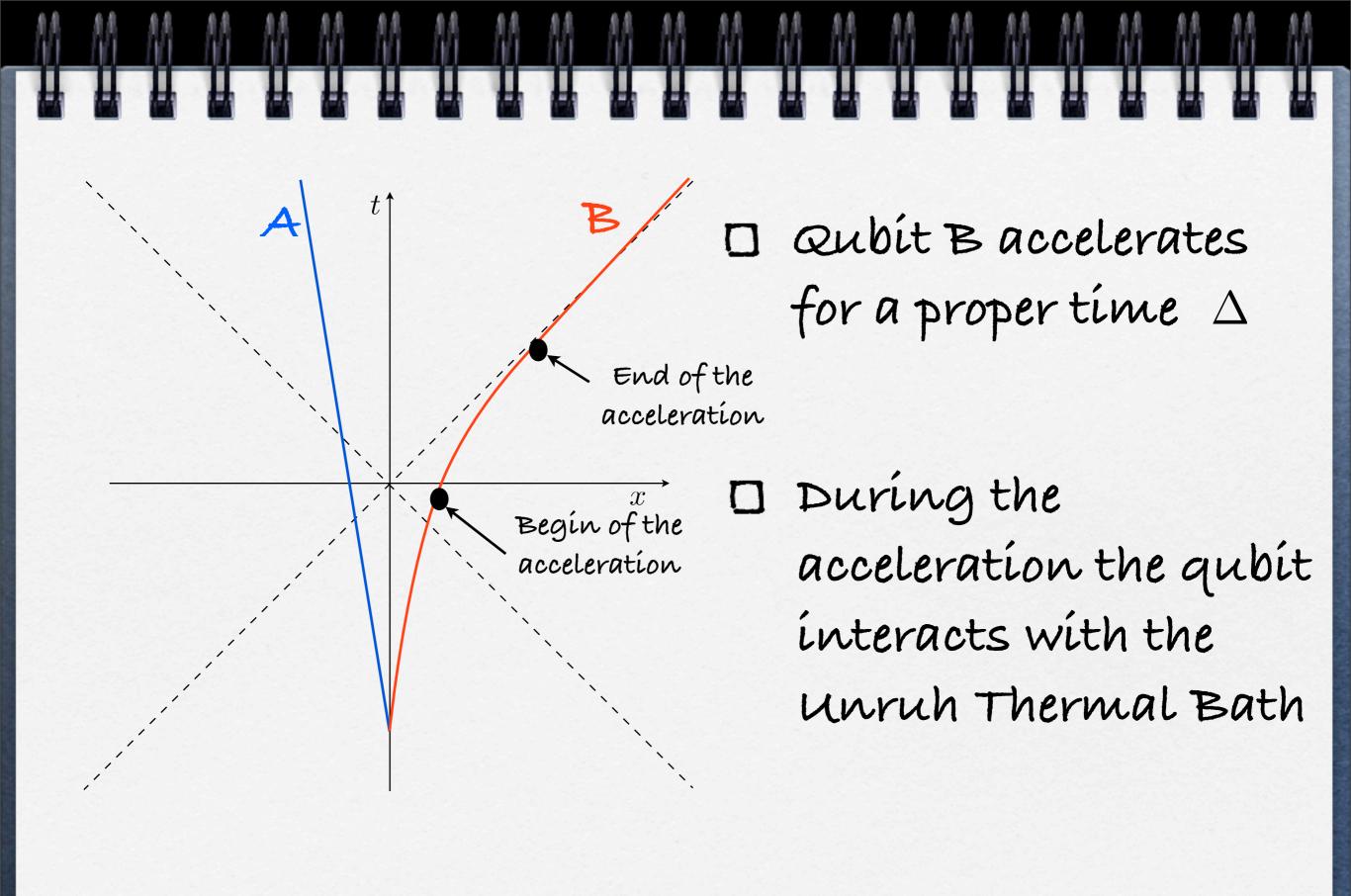
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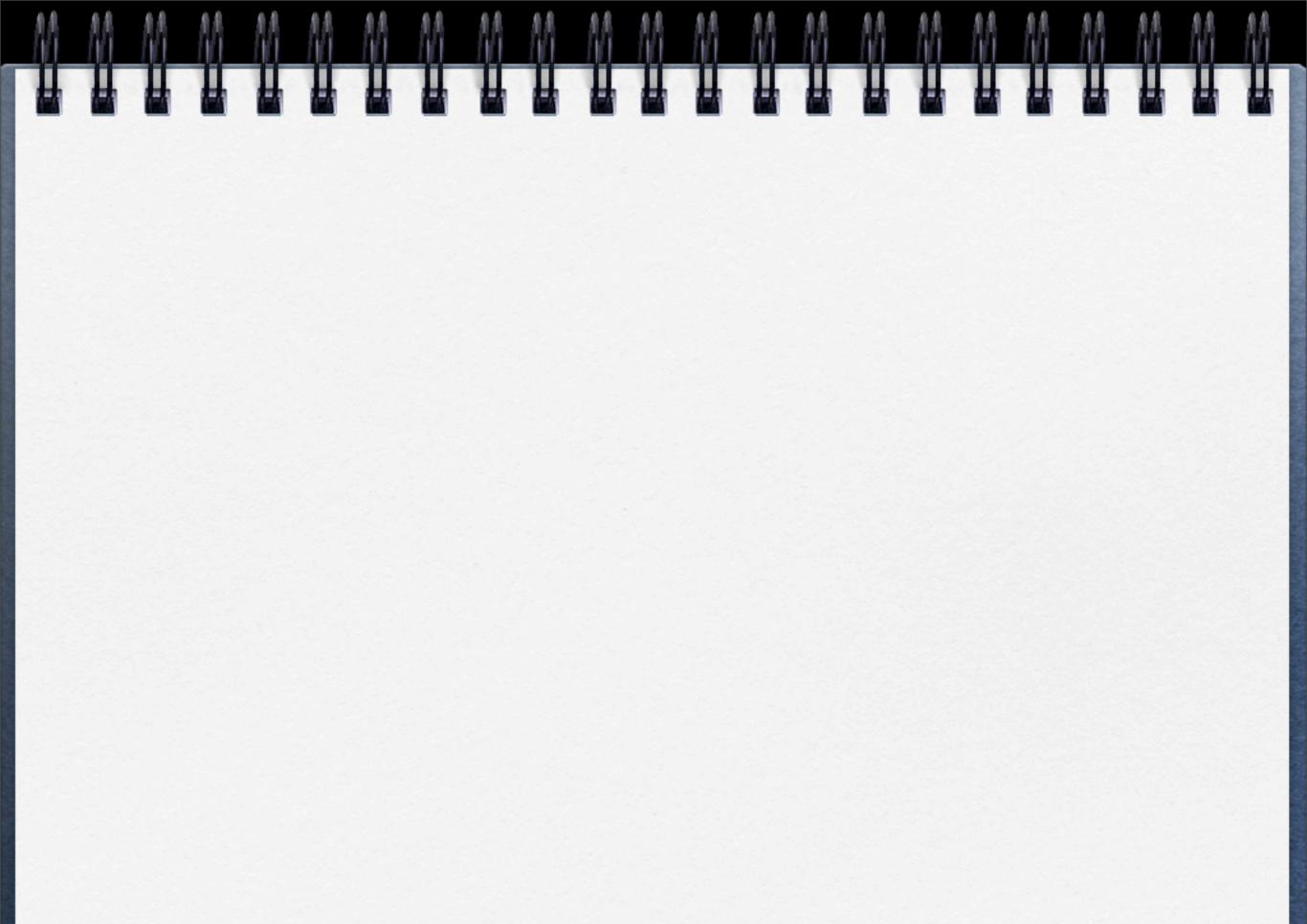


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Nothing happens to the state: Concurrence, purity, mutual information don't change









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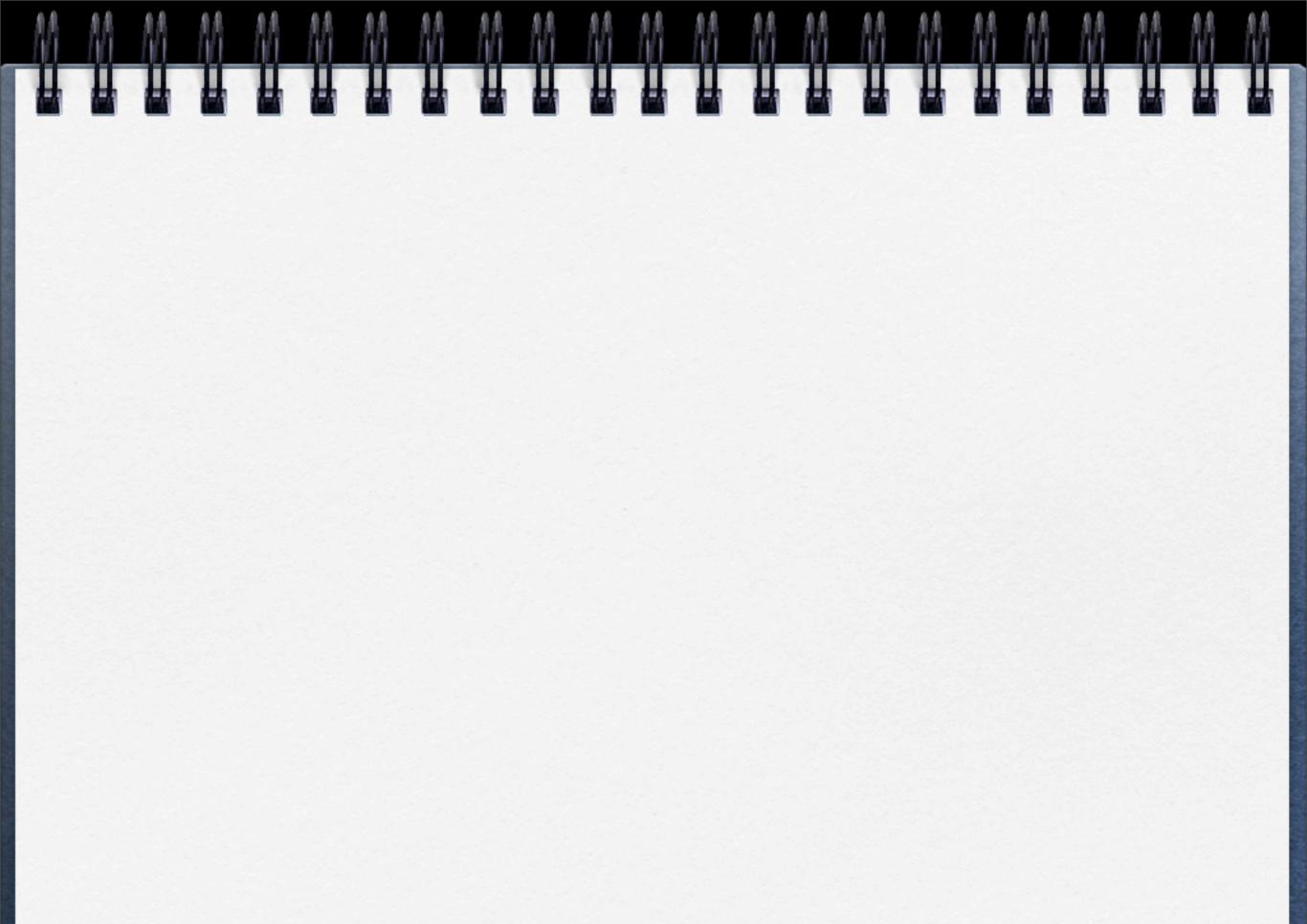
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$$\rho = \prod_{i} \left(C_i^2 \sum_{n_i} e^{\frac{-2\pi n_i \omega_i}{a}} |n_{iR}\rangle \langle n_{iR}| \right)$$



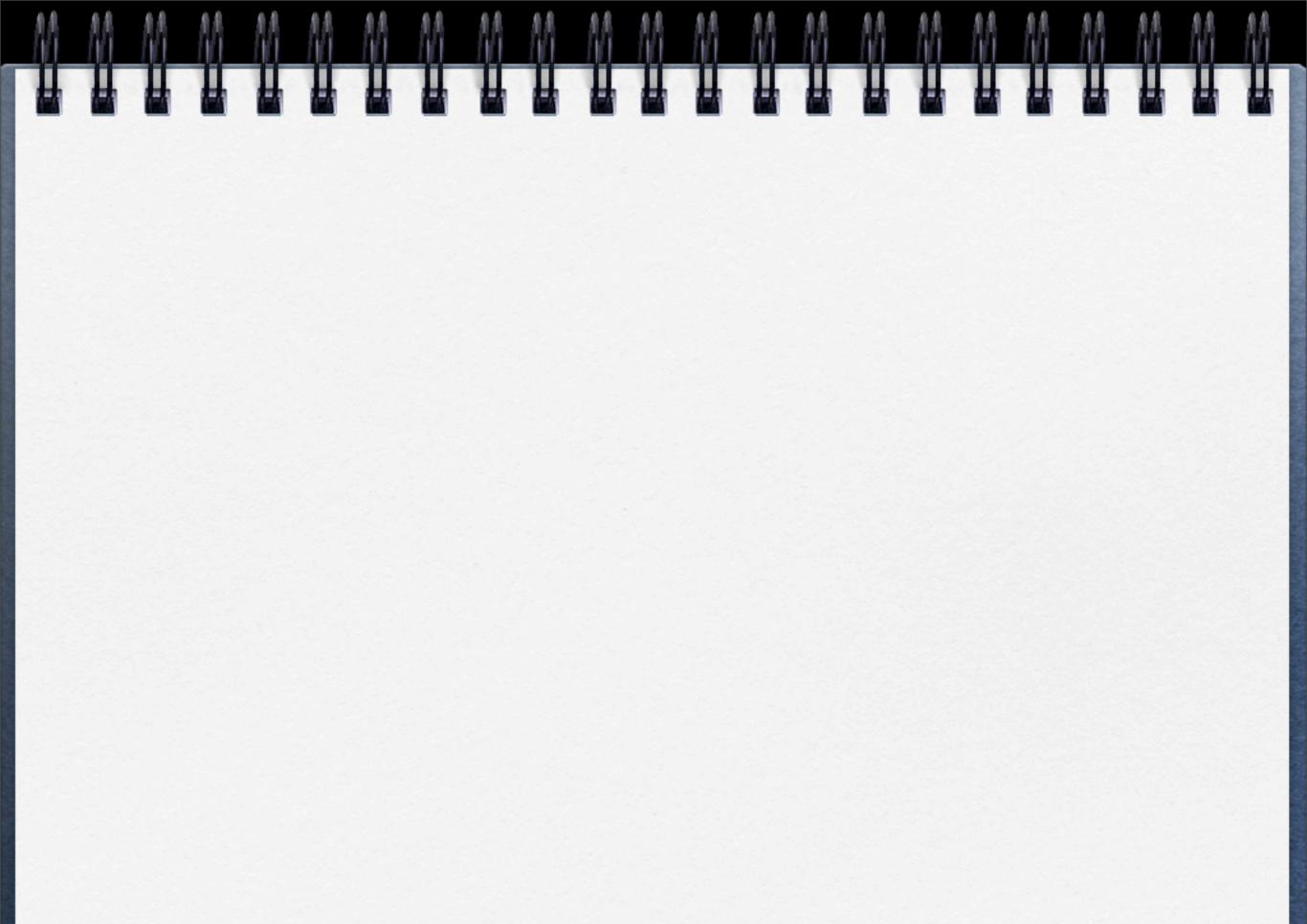
$$H_{int}(\tau) = \epsilon(\tau) \int_{\Sigma} \phi(x) [\psi(x)B + \overline{\psi}(x)B^{\dagger}] \sqrt{-g} d^{3}x$$

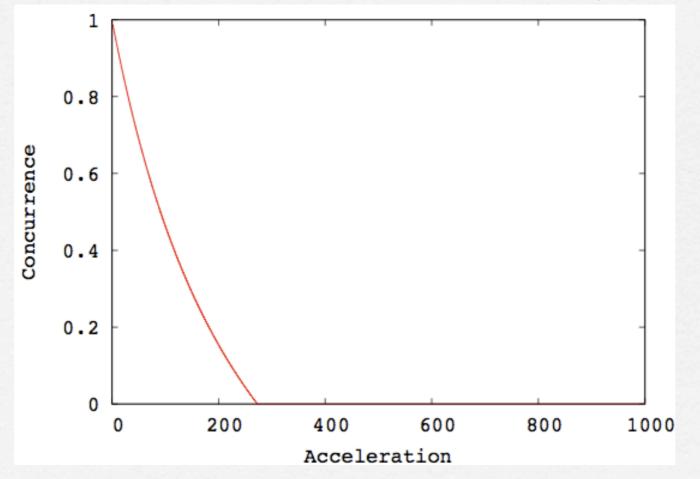
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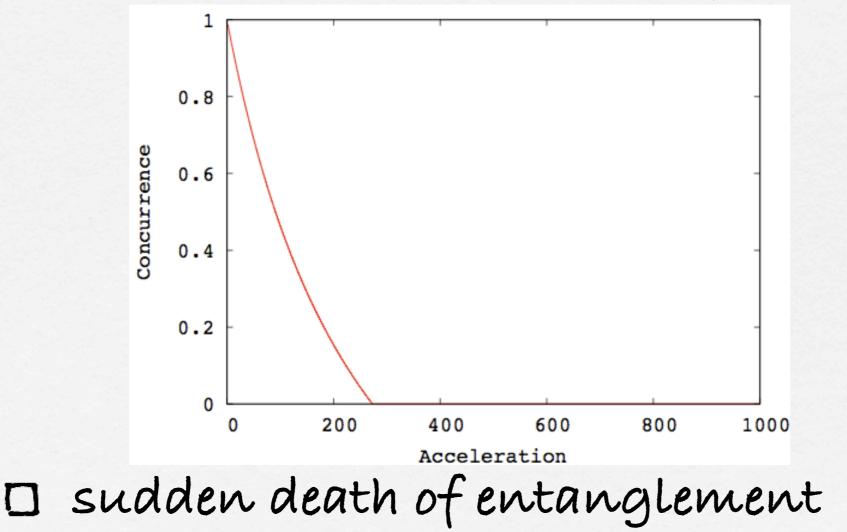
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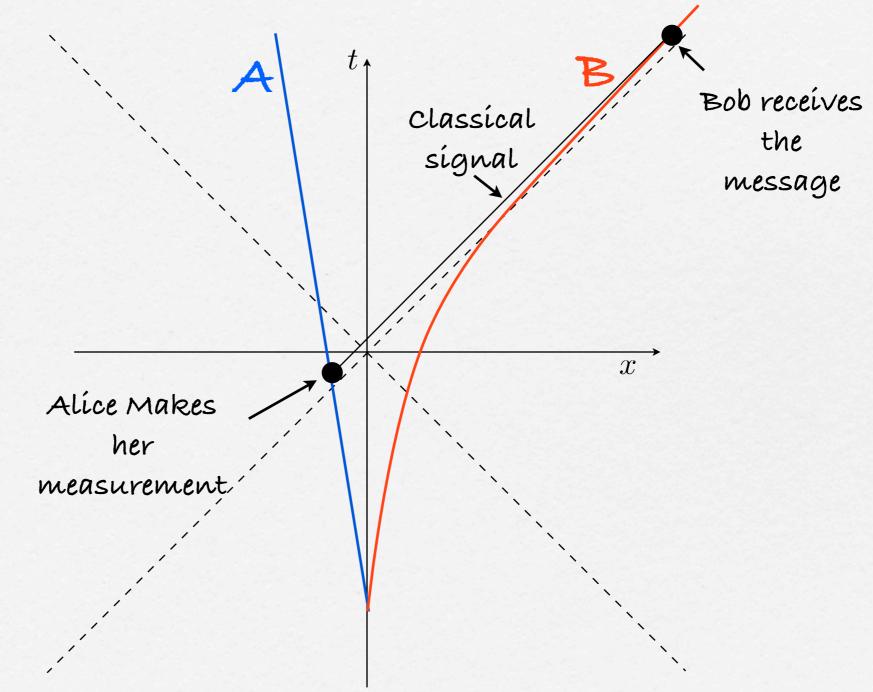
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$$\vec{E}$$

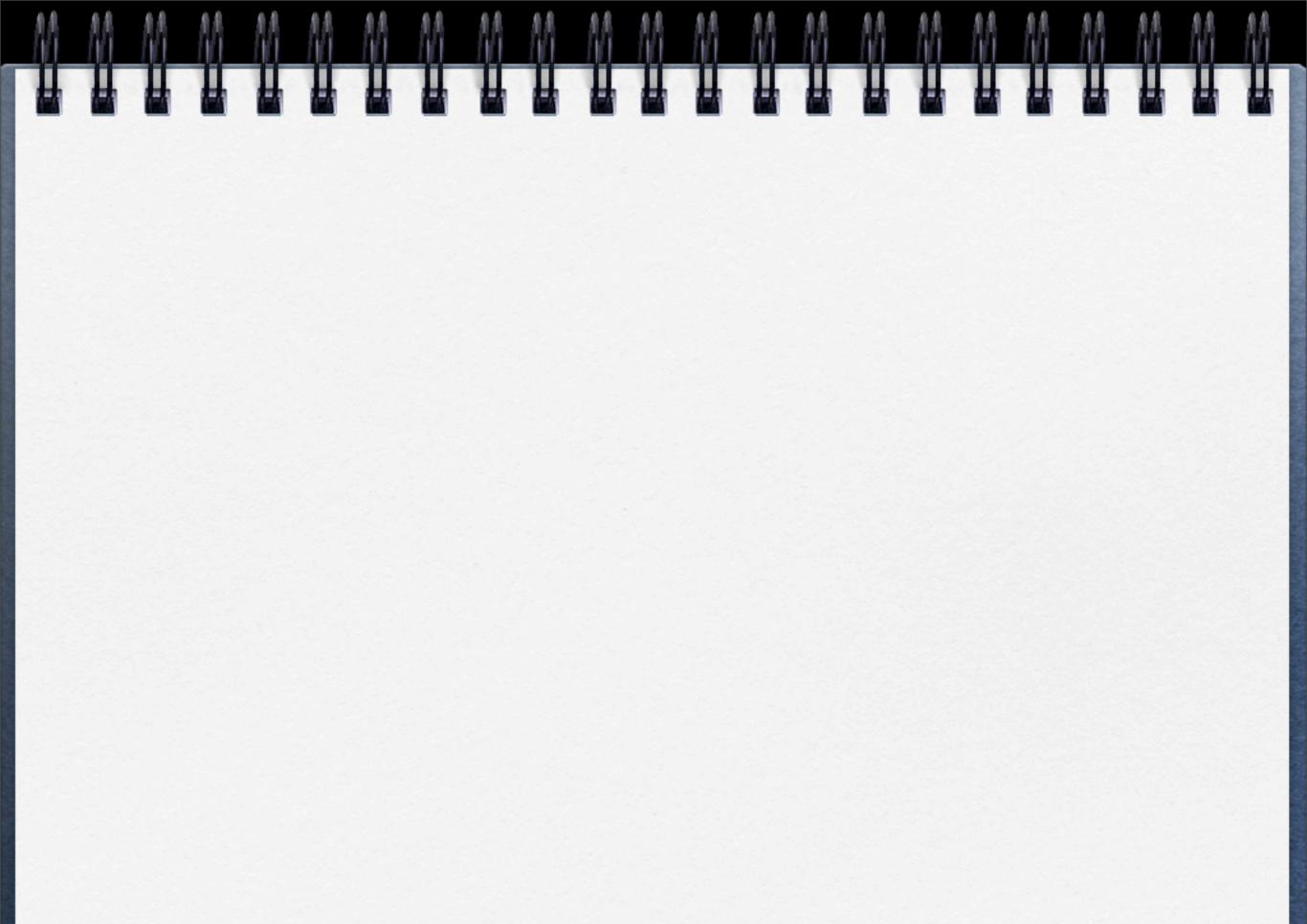






🛛 Teleportation





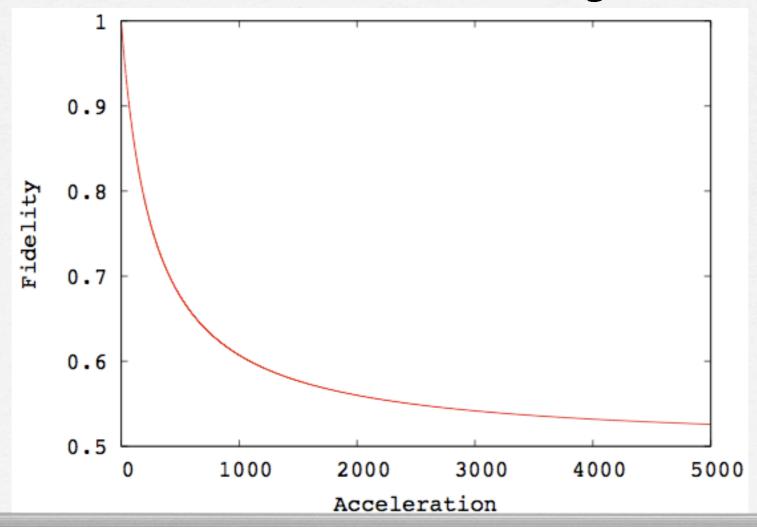
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Hopefully our predictions can be measured in laboratory