

Can a human eye see an air shower in Cherenkov light ?

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Human eye as a light sensor for observing an air shower

- Let us dwell on a question: can we see air showers with bare eyes? Let us start estimating
- The diameter of a human eye in the night is 6-7 mm, i.e. it covers an area of $\sim 30 \text{ mm}^2 = 0.3 \text{ cm}^2 = 3 \times 10^{-5} \text{ m}^2$
- Photon density of a 1 TeV γ shower on the ground ($\sim 2 \text{ km a.s.l.}$), within a disk of a radius of $\sim 130 \text{ m}$ is $\sim 130 \text{ ph/m}^2$ for the $(\lambda \sim 300 - 600) \text{ nm}$
- Typically a human eye can see in the range $(\lambda \sim 400 - 650) \text{ nm}$
- Assume we can see $\sim 100 \text{ ph/m}^2$ from a $\gamma = 1 \text{ TeV}$ (the equivalent energy for the hadron to produce comparable light will be $\sim 3 \text{ TeV}$; at this energies only $\sim 1/3$ of hadron energy goes into $\pi^0 \rightarrow 2\gamma$)

Human eye as a light sensor for observing an air shower

- From 1TeV γ (or from a ~ 3 TeV hadron shower) an eye will receive
 $3 \times 10^{-5} \text{ ph/m}^2 \times 100 \text{ ph} = 3 \times 10^{-3} \text{ ph}$
- Let us keep in mind that the Light of Night Sky (LoNS) has the intensity of $2 \times 10^{12} \text{ ph/sr s m}^2$ for ($\lambda \sim 300\text{-}600 \text{ nm}$)
- To see an image of an EAS one needs to “measure” ~ 100 “photo electron” (ph.e.) signal
- Assume an eye has been accommodated in dark for a few hours; then its photo detection efficiency could be as high as 15 – 20 % in green (you can try to guess why in green);
- Let us take 20% efficiency; the requested flux into an eye will be $100 \text{ ph.e.} / 0.2 = 500 \text{ photons}$

Human eye to see an air shower ?

- The requested photon flux on the ground will be $500 \text{ photons} / 3 \times 10^{-5} \text{ m}^2 = 1.67 \times 10^7 \text{ photon/m}^2$
- Now we need to find out the energy of a γ shower, which can produce this amount of light on the ground
- Assume a linear relation exists between shower E and number of photons (this is largely true);
- If a γ of 1 TeV produces 100 photons/m², then we will need a γ shower of energy 1.67×10^5 times higher for producing $1.67 \times 10^7 \text{ photon/m}^2$ on the ground, i.e. $1 \text{ TeV} \times 1.67 \times 10^5 = 167 \text{ PeV}$

(remember this is true for γ)

Human eye to see an air shower ?

- For a hadron to produce similar amount of light compared to the γ of 167 PeV, at these high energies one will need ~ 2 times higher E, i.e. $2 \times 167 = 334$ PeV
- Assume a shower image in the sky covers an angular area of $0.15^\circ \times 0.30^\circ = 0.045 \text{ deg.}^2 \rightarrow$ circle with $\sim 0.12^\circ$ radius ($0.15^\circ \times 0.30^\circ$ is the shower *width x length*, i.e. *the area of the ellipsoid*)
- The corresponding solid angle will be $2\pi \times (1 - \cos\theta) = 1.4 \times 10^{-5} \text{ sr}$;
- Note that human eye has a resolution of $1' = (1/60)^\circ$, so no problem to see the image of the above shown size
- Integration time of the human eye is $\sim 30 \text{ ms}$

Reaction of the Human Eye to LoNS and how long should I look to see an EAS

- Integrated noise from LoNS will be $\sim 2 \times 10^{12} \text{ ph/sr s m}^2 \times 3 \times 10^{-5} \text{ m}^2 \times 3 \times 10^{-2} \text{ s} \times 1.4 \times 10^{-5} \text{ sr} = 25 \text{ photons} \Rightarrow (5 \pm \sqrt{5}) \text{ ph.e.} = (5 \pm 2.2) \text{ ph.e.}$
- the signal/noise ratio will be $100 \text{ ph.e.} / 2.2 \text{ ph.e.} = 45$
(no problem with this, too good)
- We know that a single telescope operating above the γ threshold of $\sim 1 \text{ TeV}$ (or hadron threshold $\sim 3 \text{ TeV}$) will produce a shower trigger rate of $\sim 1 \text{ Hz}$ (mostly hadrons)
- The cosmic ray integral rate scales with energy as $\sim E^{-1.7}$
- The rate of 334 PeV hadron showers will be less than the rate of 3 TeV hadron showers by $\sim 2.6 \times 10^9$ times

How long should I wait to see an air shower with my bare eyes ?

- → for observing one single event one will need on average to wait 3.8×10^8 s, i.e. 12 years (taking into account that dark nights are only part of the day, at least 5 times longer, i.e. ≥ 60 years)

A possible answer to the formulated question

